Modelling Fluvial Geomorphic Responses to Human Perturbations





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- Kander and Simme rivers are located in the Swiss preAlps
- Catchment area of 1000 km²
- Today the Simme flows into the Kander, and downstream into Lake Thun







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- But, in 1714 Kander river flowed into the Aare river:
 - Damming the Aare river with sediments and massive flooding in the region of Thun



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- But, in 1714 Kander river flowed into the Aare river:
 - Damming the Aare river with sediments and massive flooding in the region of Thun
 - Kander river was deviated to lake Thun by engineering works from 1712-1714
 - Two years after the correction the new river eroded ~27 m of the bed



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Aims



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- Landscape evolution models (LEMs) can be used to simulate erosion and deposition in river reaches
- It remains uncertain if LEMs are stable in replicating:
 - geomorphic effects of human intervention in fluvial systems (e.g. river restoration and engineering)
 - extreme situations that include large movements of sediment
 - geomorphic change in steep channels found in mountainous landscapes



Restoration

Engineering

Steep channels



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- Landscape evolution model simulating erosion and deposition within river reaches (CAESAR)
- A hydrodynamic 2D flow model (Lisflood FP model) that conserves mass and partial momentum



Model test

Erosion



- Can the model replicate erosion in the:
 - Kander correction
 - Propagation of erosion upstream



Model test

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Deposition



- Can the model replicate deposition in the:
 - Kander delta
 - Lake Thun

Historical maps of Delta 1797 860 Gwat anderbra aetlina Kander correction 200m 1958 1882 Gwat Groatt - stutx Strittliöen 0 200 m 200m

Historical topography



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Reconstruction of paleo-DEM with historic maps



Kander river before correction

Discharge

- 10 years of hourly discharge from 1986-1996
- No floods included in the simulation because none in historical records



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Sediment inputs

- Annual sediment inputs
 - Simme: **20,000 m³ yr**⁻¹
 - Kander: 80,000 m³ yr⁻¹
- High flows were ≥ 30 m³ s⁻¹ and assumed upstream sediment transport occurred above this threshold
- Amounts of sediment were proportionally added over time based on the discharge that was above the threshold



Source: Geschiebehaushalt Kander, 2014

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Grain size

- 6 grain size classes (silt to boulder) were estimated from Kander and Simme
- Each grid cell in the model initially contains the same grainsize percentages



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Initial conditions

- Kander without correction
- 1986-1989 discharge and sediment ٠ inputs for Kander and Simme
- Model ran for 3 years and channel was in equilibrium (RMSE between initial channel and year 3 channel was 0.15 m)

0.2-0.3

0.05-0.2

-0.25- -0.5

-0.5- -0.8



Kander correction-1714



- The correction Length: 340 m, Width: 32 m, Slope: 0.8%.
- A <u>ramp</u> connected the correction to the lake, steep slope 14%
- <u>Lake</u> Thun was added to the DEM at the location of the shoreline. The lake was set as a non-erodible plane

Kander correction model

- Simulated 10 years of movement of water and sediment
- Every year topography was recorded (1714-1724)



Results





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Channel incision

- Observed erosion in 2 years:
 - Obs 1: 27 m
 - Obs 2: 21 m
 - Obs 3: 5 m



Historical observations



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Channel incision

- Observed erosion in 2 years:
 - Obs 1: 27 m
 - Obs 2: 21 m
 - Obs 3: 5 m
- After 7 years modeled erosion matches observed



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Channel incision

- Aggressive erosion rate of
 2 m yr⁻¹ in first 10 years
- 57% total erosion to present day occurred during this time
- Erosion rate decreasing to 1 m yr⁻¹
- Estimate **13 more years** to reach present day channel elevation



Sediment yield

- Data from lake deposits estimates the sediment yield of the Kander and Simme river from 1714-1852 was 300,000 m⁻³ yr⁻¹
- Mean modelled sediment yield: **350,000 m⁻³ yr⁻¹**
- Modelled sediment yield stabilizing near observed sediment yield





Delta formation

- Model produces delta with semicircular shape, and suggests delta formed quickly
- Percent change in total delta deposits indicates stabilization after **10 years**
- Modelled delta deposition is in range of present day deposits (0.5-14 m)



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Unexpected channel stabilization

- Kander correction erosion is controlled by delta elevation (base level)
- Model has not developed a channel in delta and this has caused the correction to stabilize
- Will channel in delta form? Did dredging help create channel?



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Conclusion

- For the Kander and Simme rivers CAESAR lisflood adequately replicated:
 - Channel incision
 - Sediment yield
 - Delta formation
- Results suggest that CAESAR lisflood can be used to model:
 - geomorphic effects of human intervention in fluvial systems (e.g. river restoration and engineering)
 - extreme situations that include large movements of sediment
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Backup slides

CAESAR-Lisflood hydraulics



Lisflood-FP

calculate the flow (Q) between cells

$$Q = \frac{q - gh_{flow}\Delta t \frac{\Delta(h+z)}{\Delta x}}{\left(1 + gh_{flow}\Delta t n^2 |q| / h_{flow}^{10/3}\right)} \Delta x$$

q is the flux between cells from the previous iteration (m²s⁻¹)
g is acceleration due to gravity (m s⁻¹)
n is Mannings roughness coefficient (m^{1/3}s⁻¹) h is depth (m)
z is elevation (m)
hflow is the maximum depth of flow between cells
x is the grid cell width (m)
t is time (s)



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CAESAR-Lisflood sediment transport



Wilcock and Crowe

Sediment transport is driven by a mixed-size formula, which calculates transport rates, q_i, for each sediment fraction i

 $q_i = \frac{F_i U_*^3 W_i^*}{(s-1)g}$

F_i denotes the fractional volume of the i-th sediment in the active layer
U* is the shear velocity
s is the ratio of sediment to water density
g denotes gravity
W_i* is a complex function that relates the fractional transport rate to the total transport rate

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