

# Simulating the effect of check dams on landscape evolution at centennial time scales



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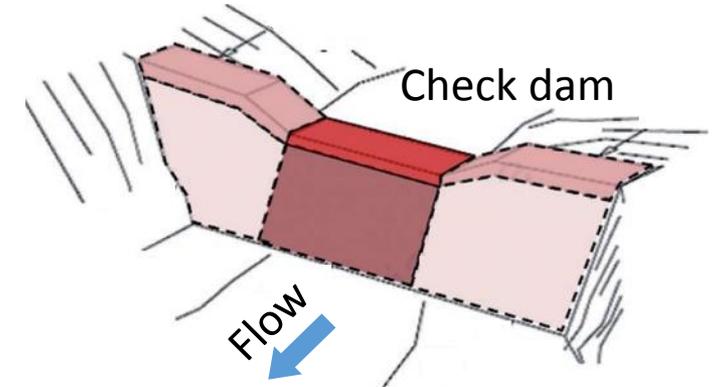
**UNIVERSITÄT  
BERN**

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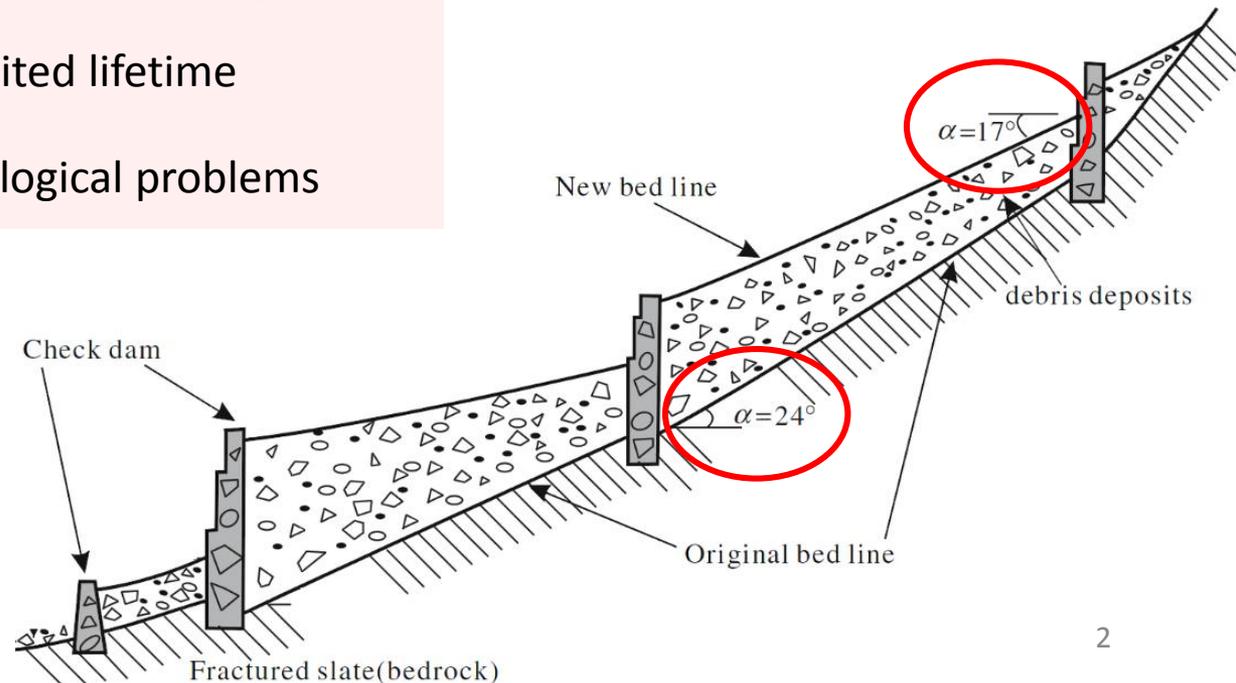
# Pros and cons of check dams

Background > Approach & Data > Calibration > Proof of concept > Conclusion

A **check dam** is a small dam constructed across a river to counteract erosion by reducing water flow velocity



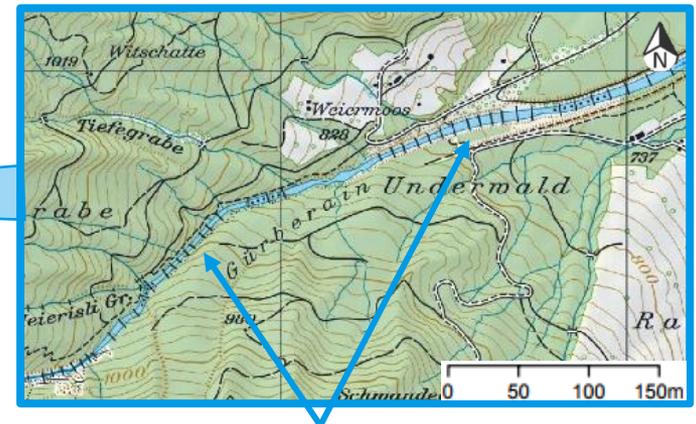
Pros	Cons
Reduction of slope gradient	Expensive investment and maintenance
Less channel erosion	Limited lifetime
Increase bank stability	Ecological problems



# Study site: Guerbe river

Background > Approach & Data > Calibration > Proof of concept > Conclusion

- Guerbe river is located in the Swiss preAlps
- Catchment area of 12 km<sup>2</sup>
- River contains 120 check dams, first built in 1860
- Average river slope is 9°



check dams in the Guerbe

# Guerbe check dams

Background > Approach & Data > Calibration > Proof of concept > Conclusion

- Maintenance cost of check dams and protective system is 2 million USD/year
- In 1990, after a major flood event renovation costs were 40 million USD
- Most expensive river in Switzerland, but many other rivers are similar



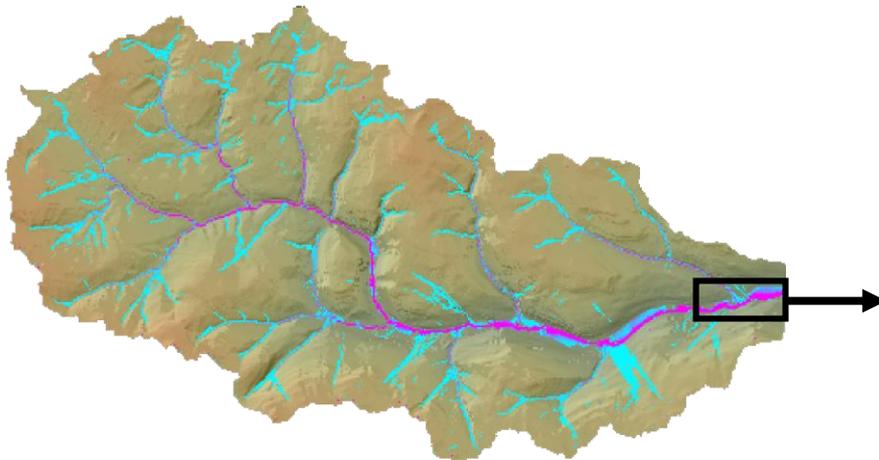
What would happen **geo-morphologically** if check dams were **no longer maintained** and allowed to structurally deteriorate?

# Modelling approach: CAESAR-Lisflood

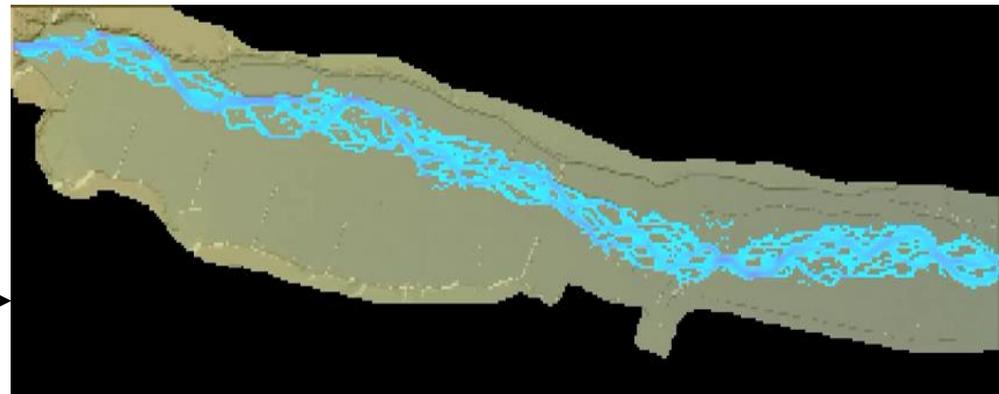
Background > [Approach & Data](#) > Calibration > Proof of concept > Conclusion

- Catchment or reach based cellular model
- Models morphological change
- Hydrological model is TOPMODEL (surface runoff)
- Hydraulic model is Lisflood-FP (flow depths and velocities)
- Sediment transport
  - Bedload, 9 fractions using Wilcock & Crowe equation
- Slope processes include landslides and soil creep

Catchment scale

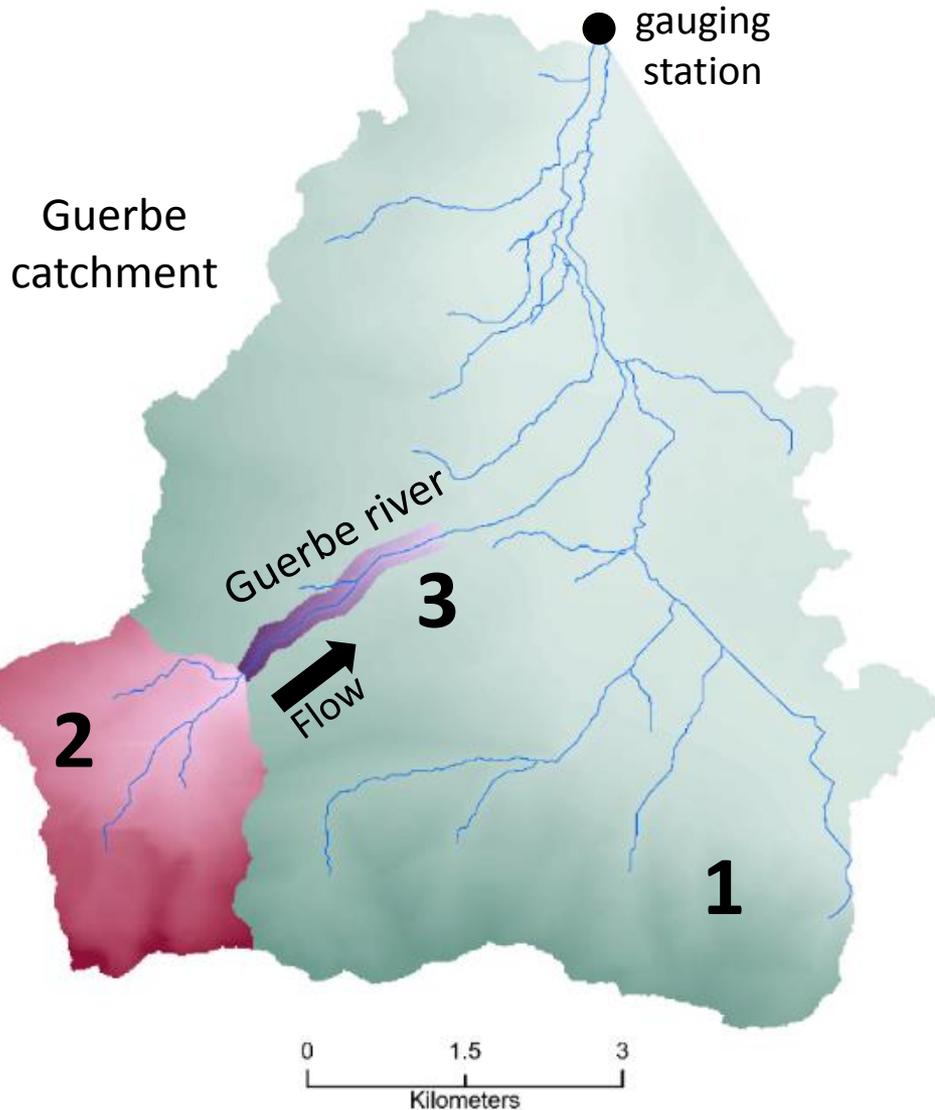


Reach scale



# Model setup

Background > [Approach & Data](#) > Calibration > Proof of concept > Conclusion

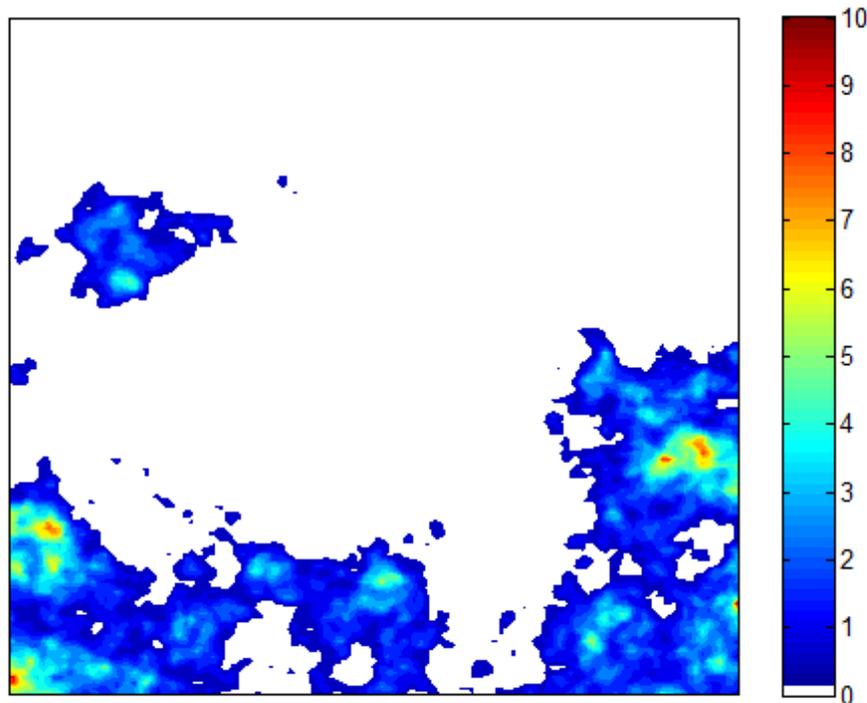


## 3 step process

1. Calibrate hydrological model on **large catchment** using observed discharge and simulated rainfall
2. Apply calibrated parameters to **sub-catchment** and use simulated rainfall to generate water and sediment flux
3. Water and sediment outputs from sub-catchment become inputs to **reach** scale model with check dams

- AWE-GEN-2d model combines physical and stochastic approaches to generate gridded climate variables
- Rainfall is simulated at hourly and 1-km resolution

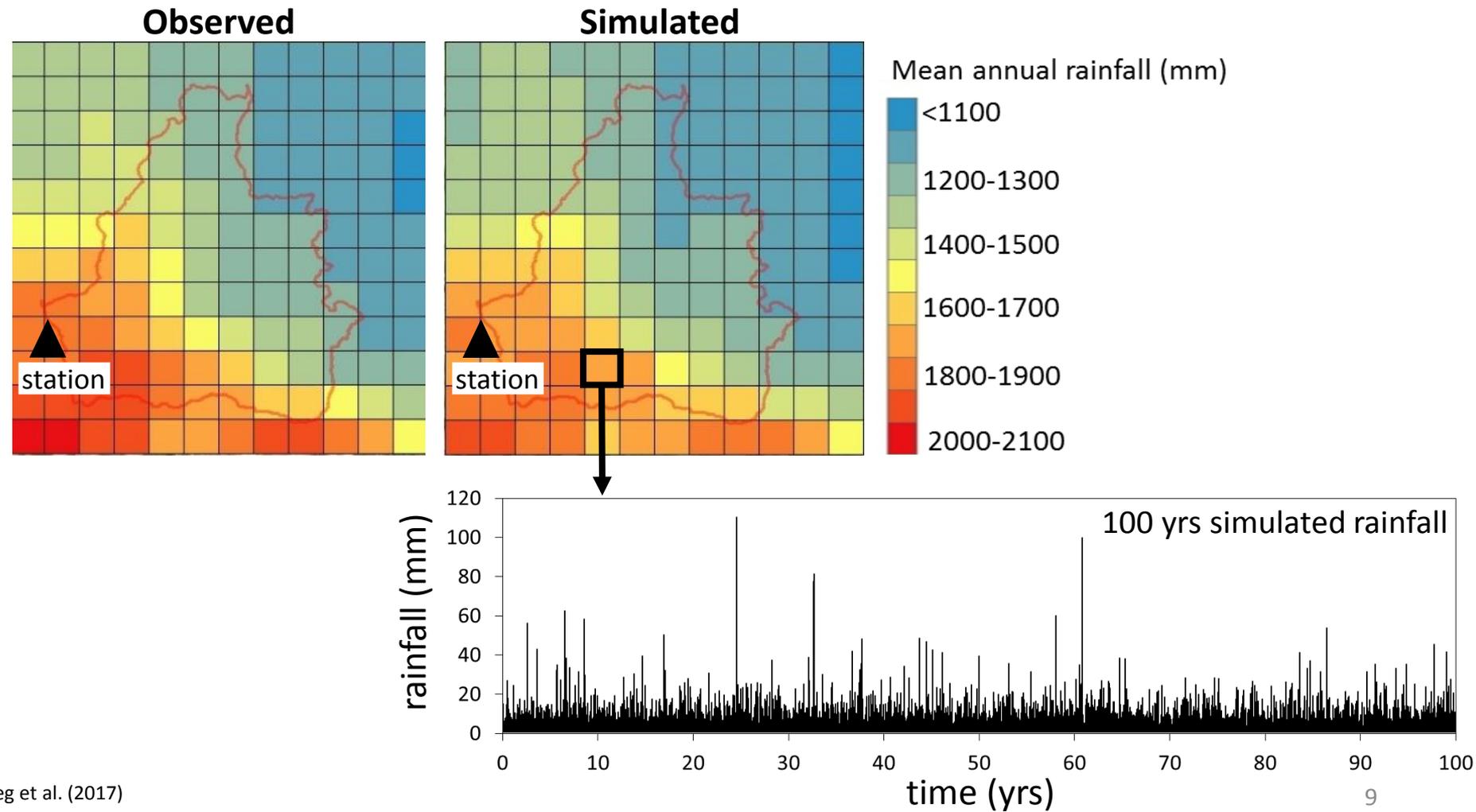
Dynamic rain fields



# Rainfall

Background > [Approach & Data](#) > Calibration > Proof of concept > Conclusion

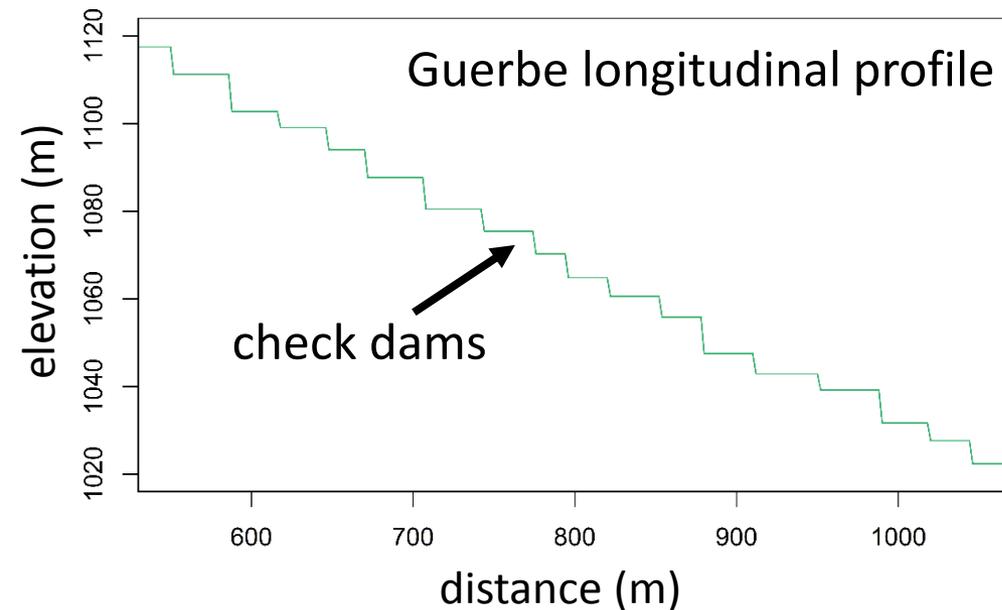
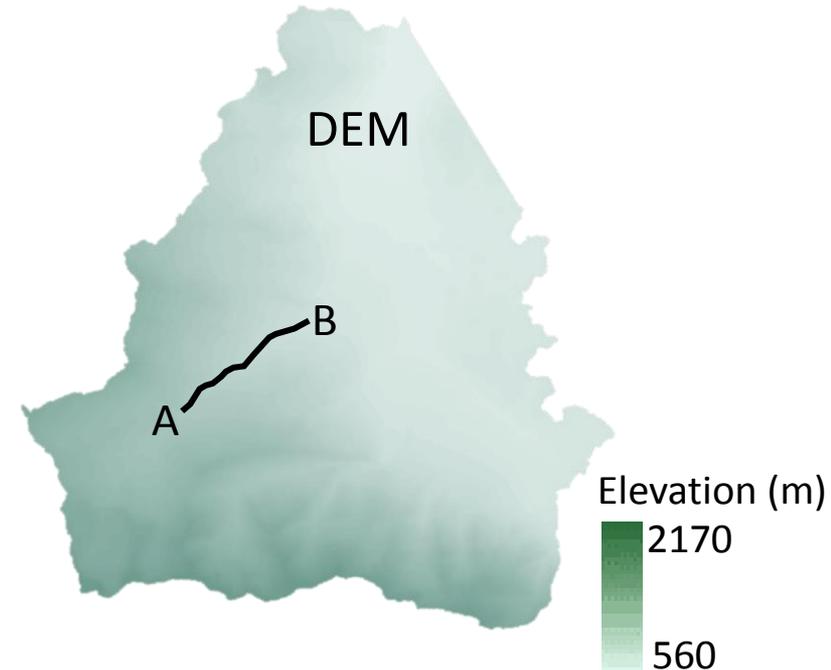
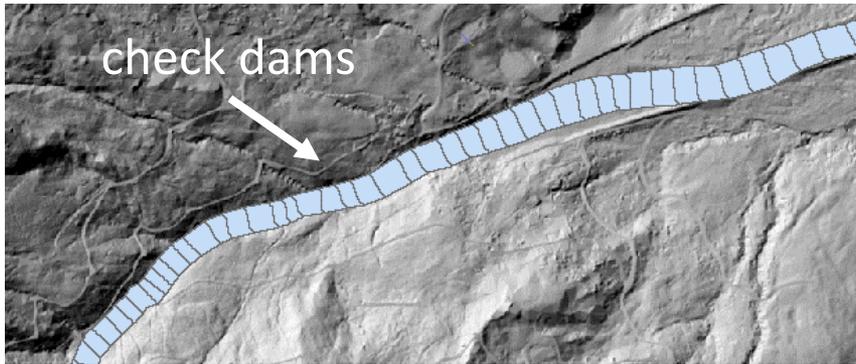
- Weather station rainfall used to calibrate storm arrival timing
- Observed daily resolution gridded rainfall used to calibrate rainfall intensity
- 100 years of rainfall based on the last 30 years of climate



# Topography

Background > [Approach & Data](#) > Calibration > Proof of concept > Conclusion

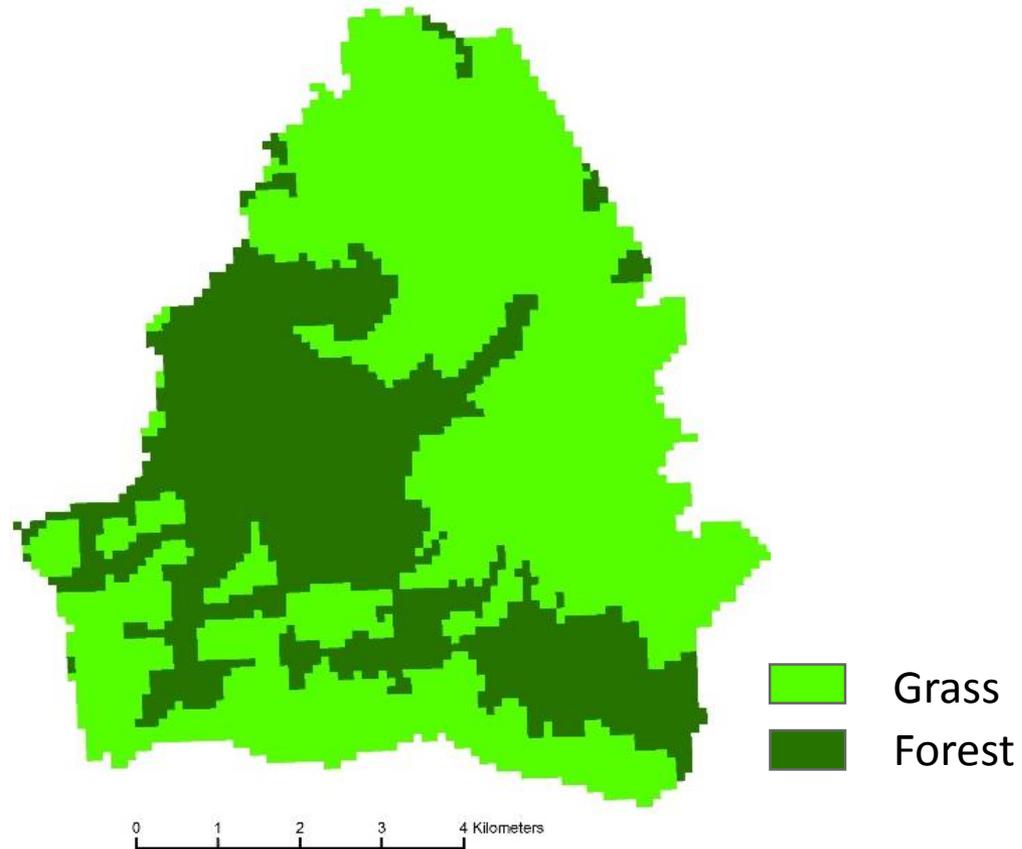
- Extracted location of check dams in 2 m spatial resolution DEM
- 2 m DEM resampled to 15 m spatial resolution
- Check dams are reinforced into DEM to ensure topographic representation



# Land cover

Background > [Approach & Data](#) > Calibration > Proof of concept > Conclusion

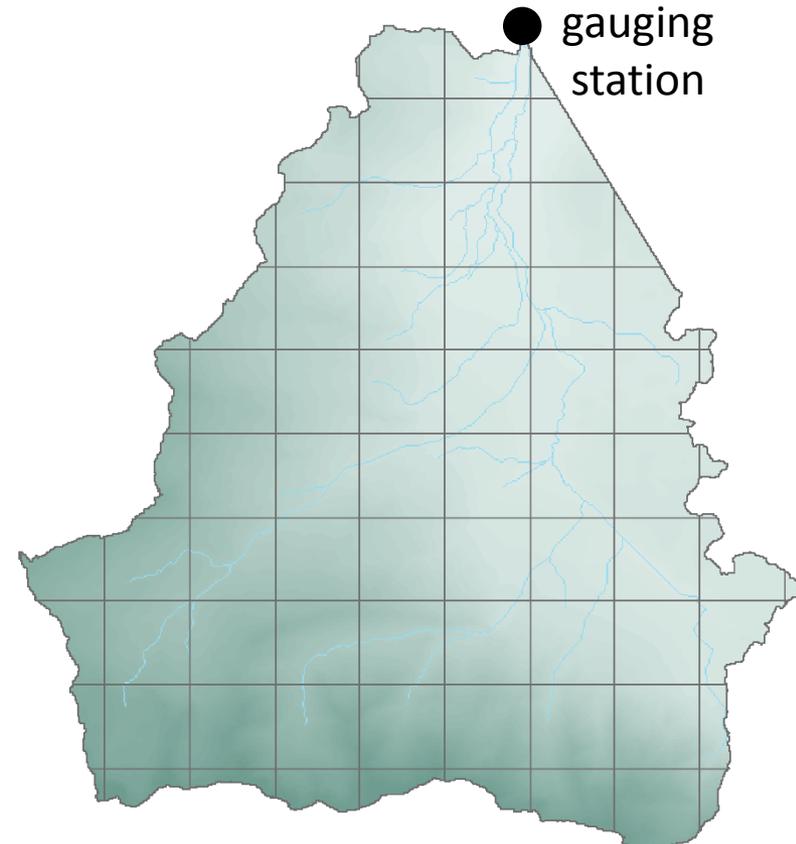
Spatially distributed  
land cover of two types



# Hydrological calibration

Background > Approach & Data > **Calibration** > Proof of concept > Conclusion

- For the large catchment calibrate **hydrological model** using spatially distributed :
  - modelled rainfall
  - land cover
- Parameterize hydrological model for the effect of land cover on the movement and storage of water within the soil
- Replicate magnitude and frequency of hourly discharge recorded at gauging station

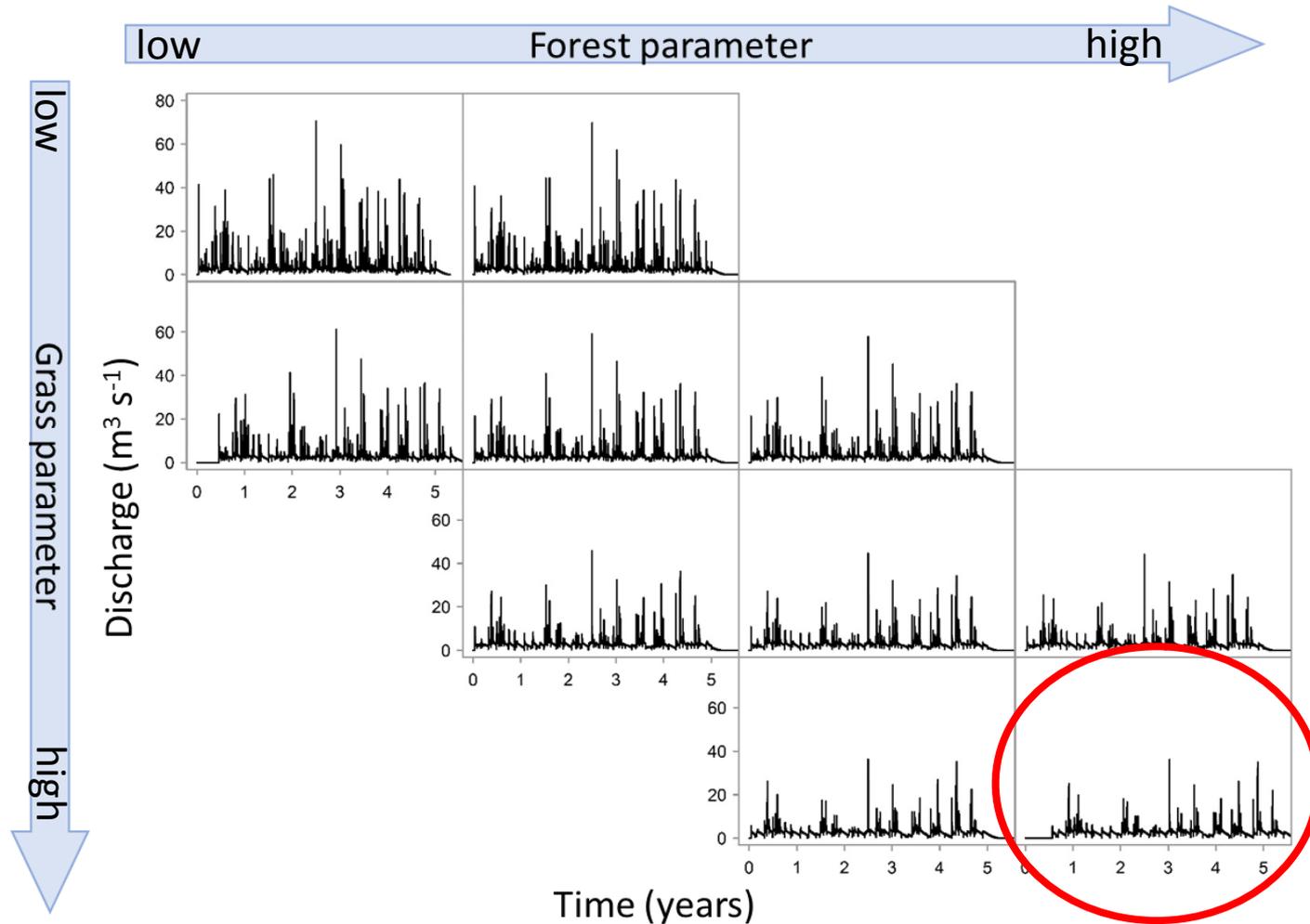


rainfall and land cover  
grid structure

# Hydrological calibration

Background > Approach & Data > **Calibration** > Proof of concept > Conclusion

**Higher parameter values is a well vegetated catchment, with high soil moisture storage, and lower flood peaks**

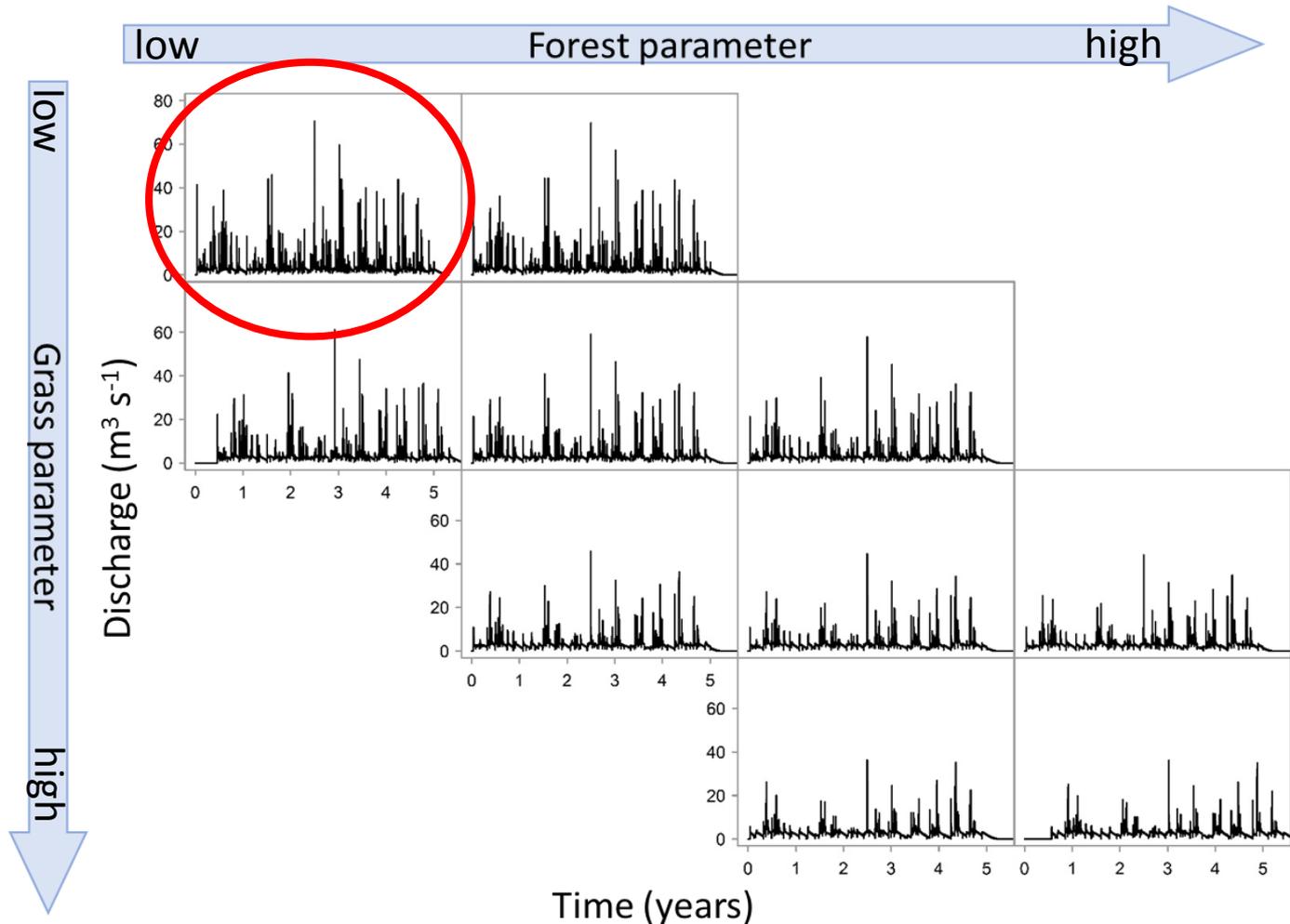


# Hydrological calibration

Background > Approach & Data > **Calibration** > Proof of concept > Conclusion

**Higher parameter values** is a **well vegetated catchment**, with high soil moisture storage, and **lower flood peaks**

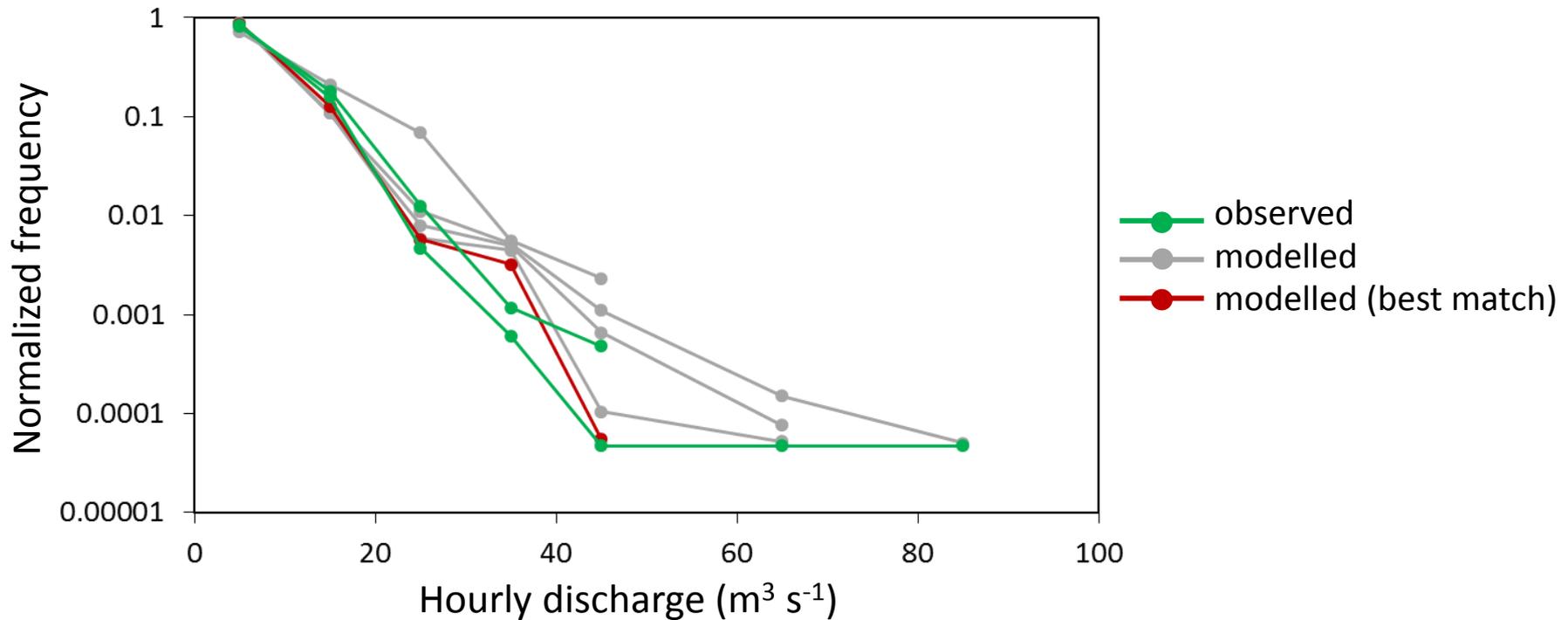
**Lower parameter values** is a **sparsely vegetated catchment** and **flashier hydrological regimes**



# Hydrological calibration

Background > Approach & Data > [Calibration](#) > Proof of concept > Conclusion

Hydrological calibration shows promising results, but is still in progress...

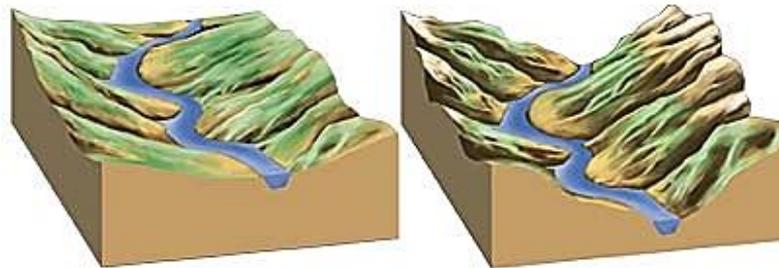


# Reach scale model

Background > Approach & Data > Calibration > **Proof of concept** > Conclusion

Does a reach scale model respond to check dam failure?

- examine channel changes after check dam failure (erosion and deposition)



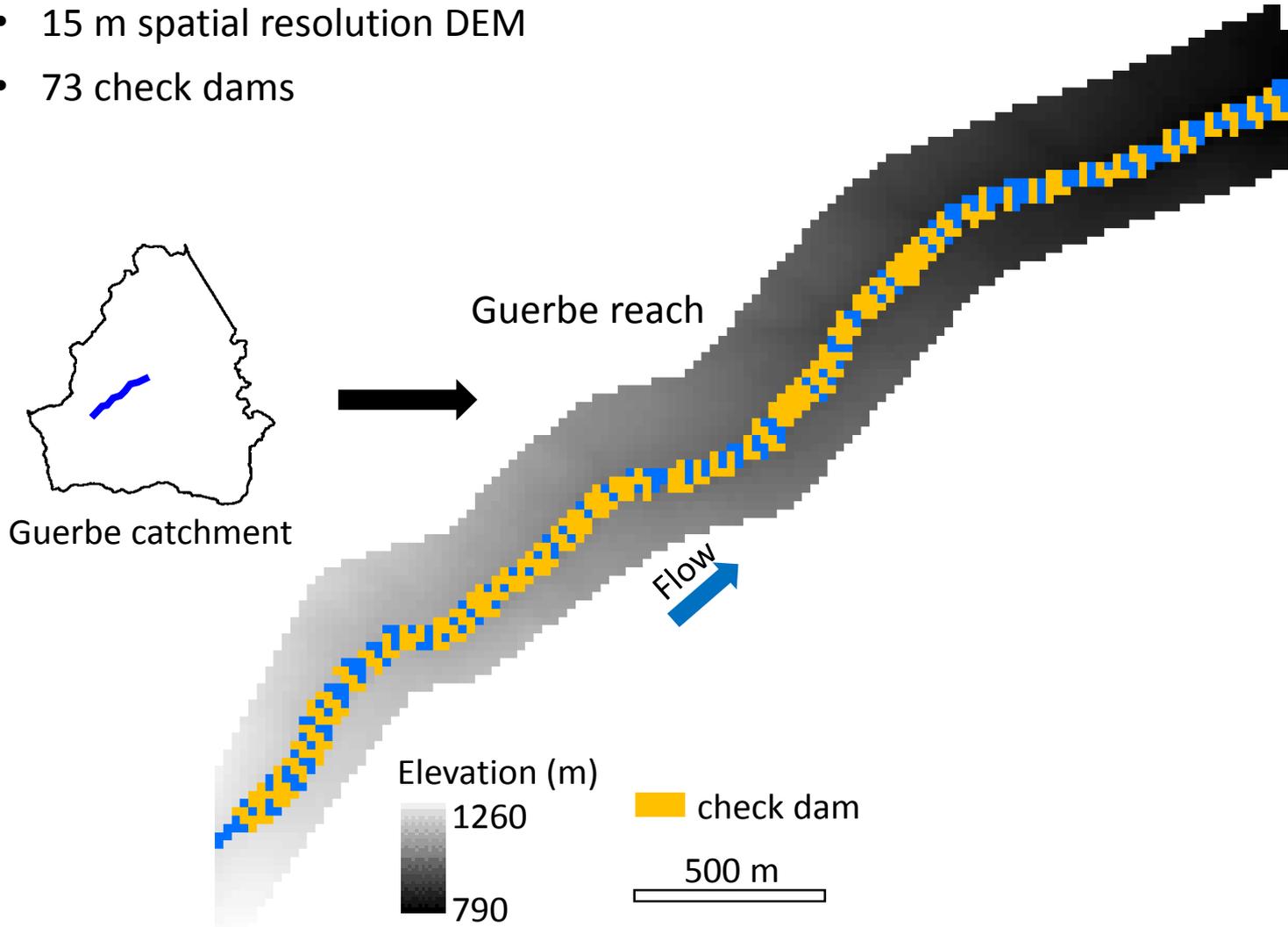
- examine the effect of check dam failure on sediment yield



# Reach scale model

Background > Approach & Data > Calibration > **Proof of concept** > Conclusion

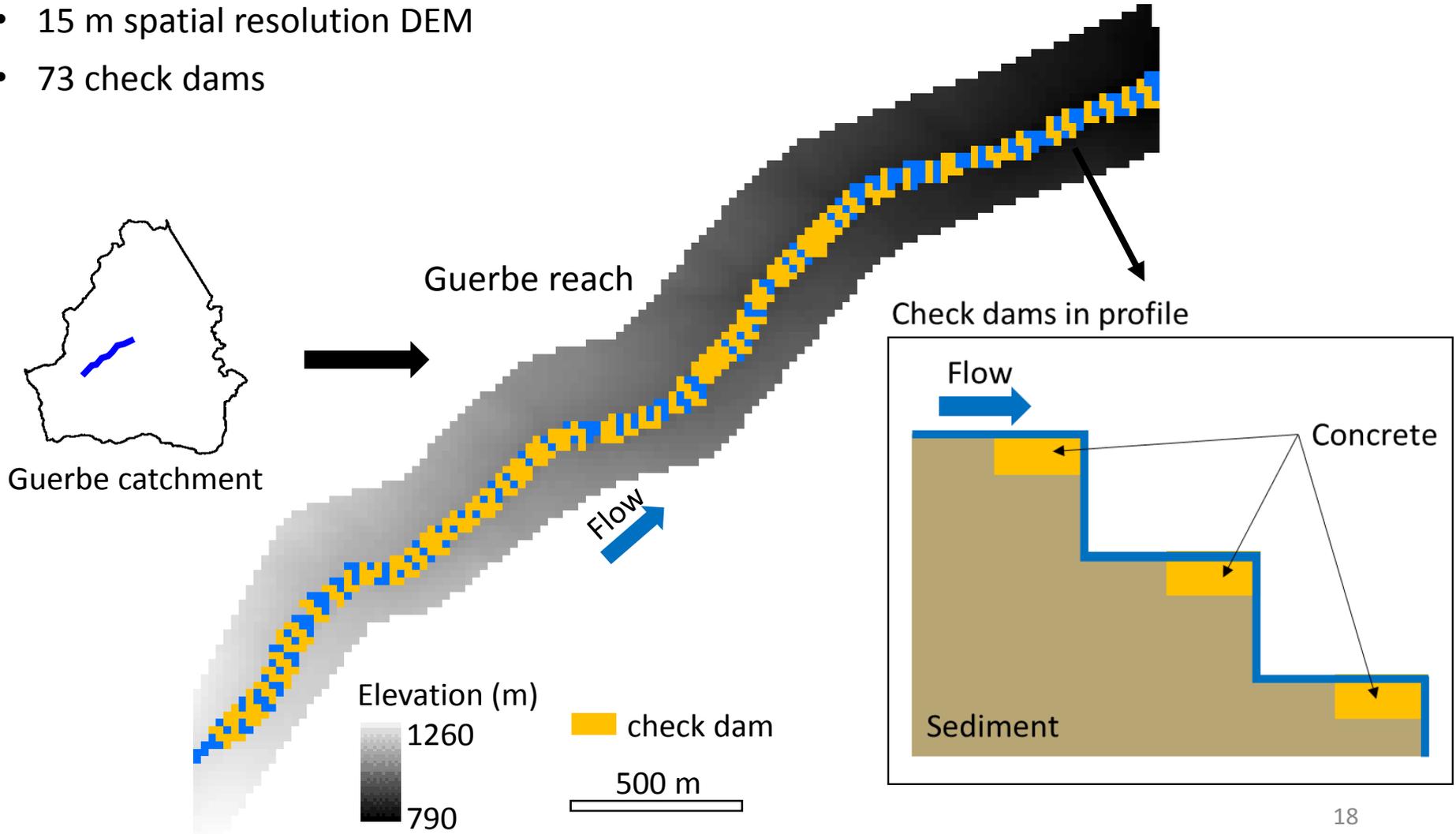
- 2.5 km
- 15 m spatial resolution DEM
- 73 check dams



# Reach scale model

Background > Approach & Data > Calibration > **Proof of concept** > Conclusion

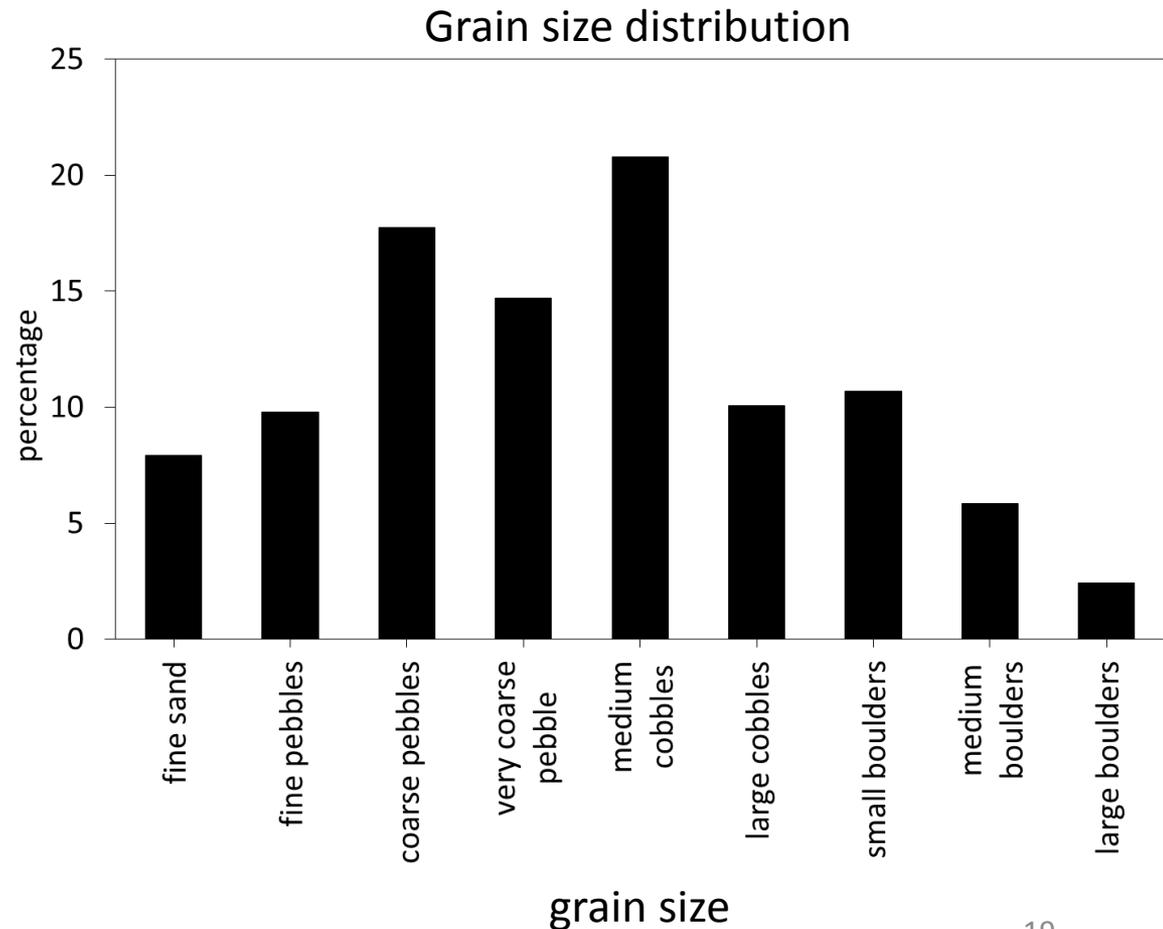
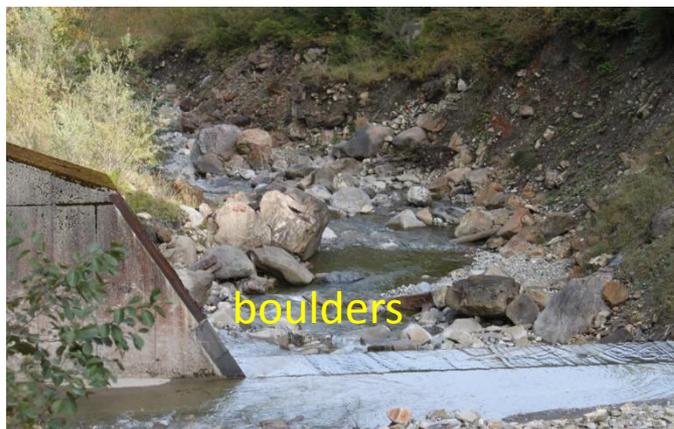
- 2.5 km
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# Grain size

Background > Approach & Data > Calibration > [Proof of concept](#) > Conclusion

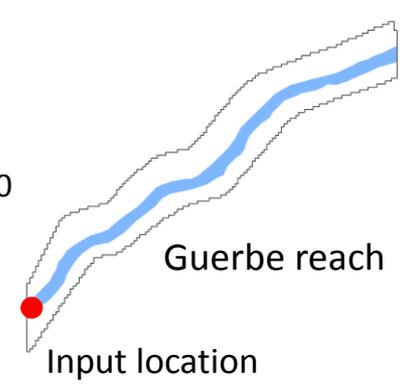
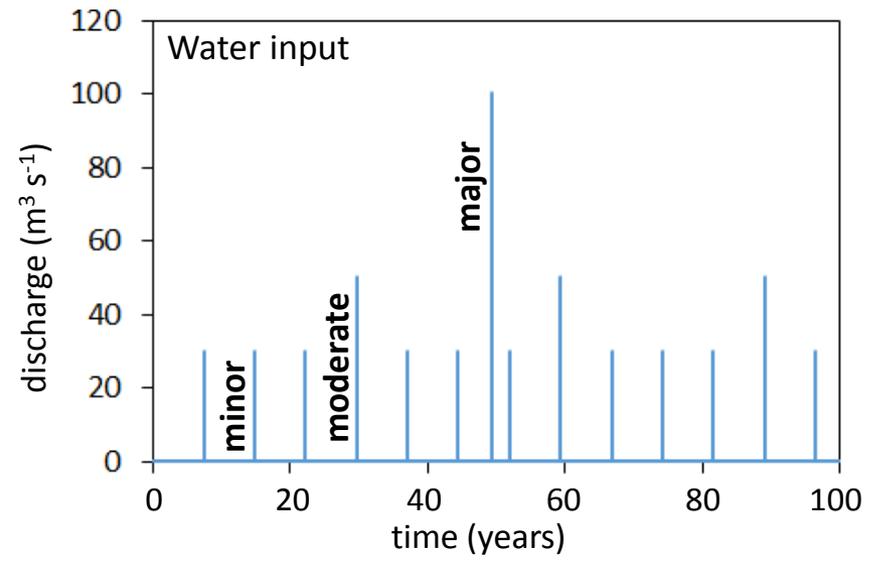
- 9 grain size classes (sand to boulder) were estimated through field methods
- Each grid cell in the model initially contains the same grainsize percentages



# Synthetic discharge and sediment

Background > Approach & Data > Calibration > **Proof of concept** > Conclusion

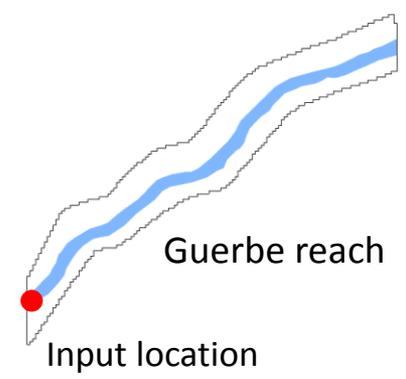
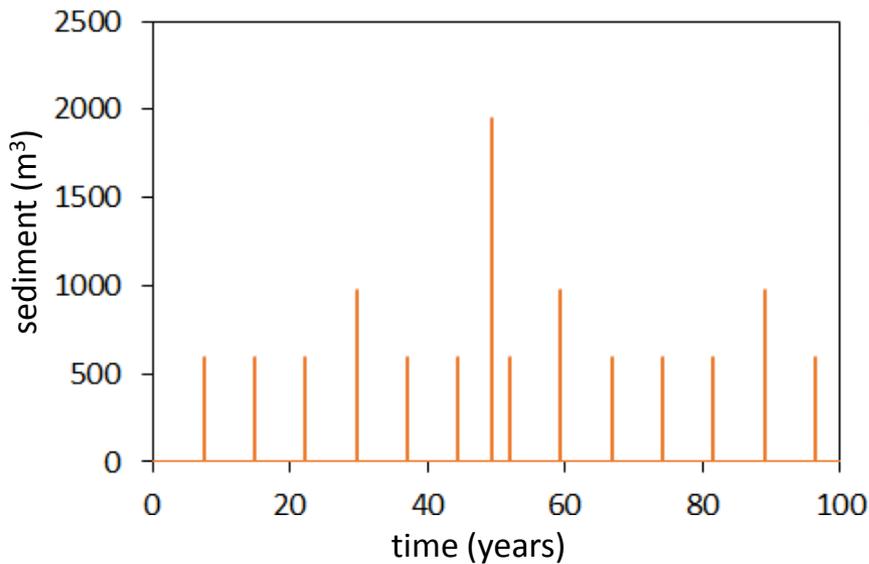
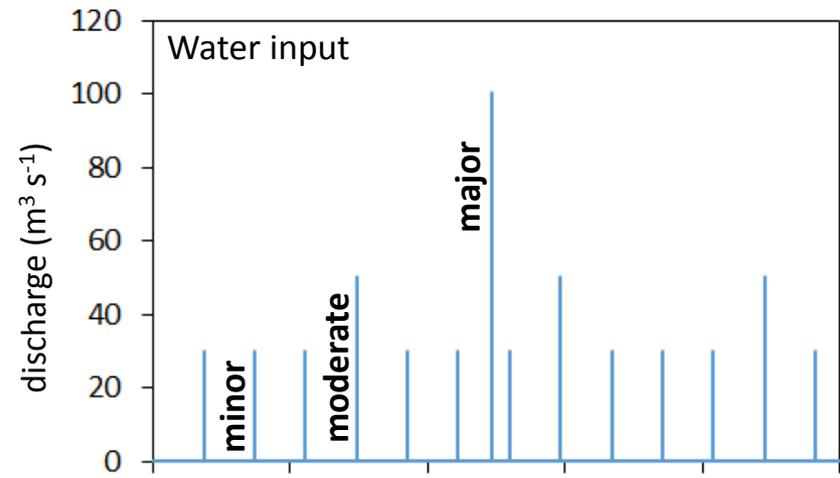
- Hourly discharge
- Low flow:  $0.25 \text{ m}^3 \text{ s}^{-1}$
- Floods of 24 hrs duration, with peak discharge of:
  - **minor:**  $30 \text{ m}^3 \text{ s}^{-1}$
  - **moderate:**  $50 \text{ m}^3 \text{ s}^{-1}$
  - **major:**  $100 \text{ m}^3 \text{ s}^{-1}$



# Synthetic discharge and sediment

Background > Approach & Data > Calibration > **Proof of concept** > Conclusion

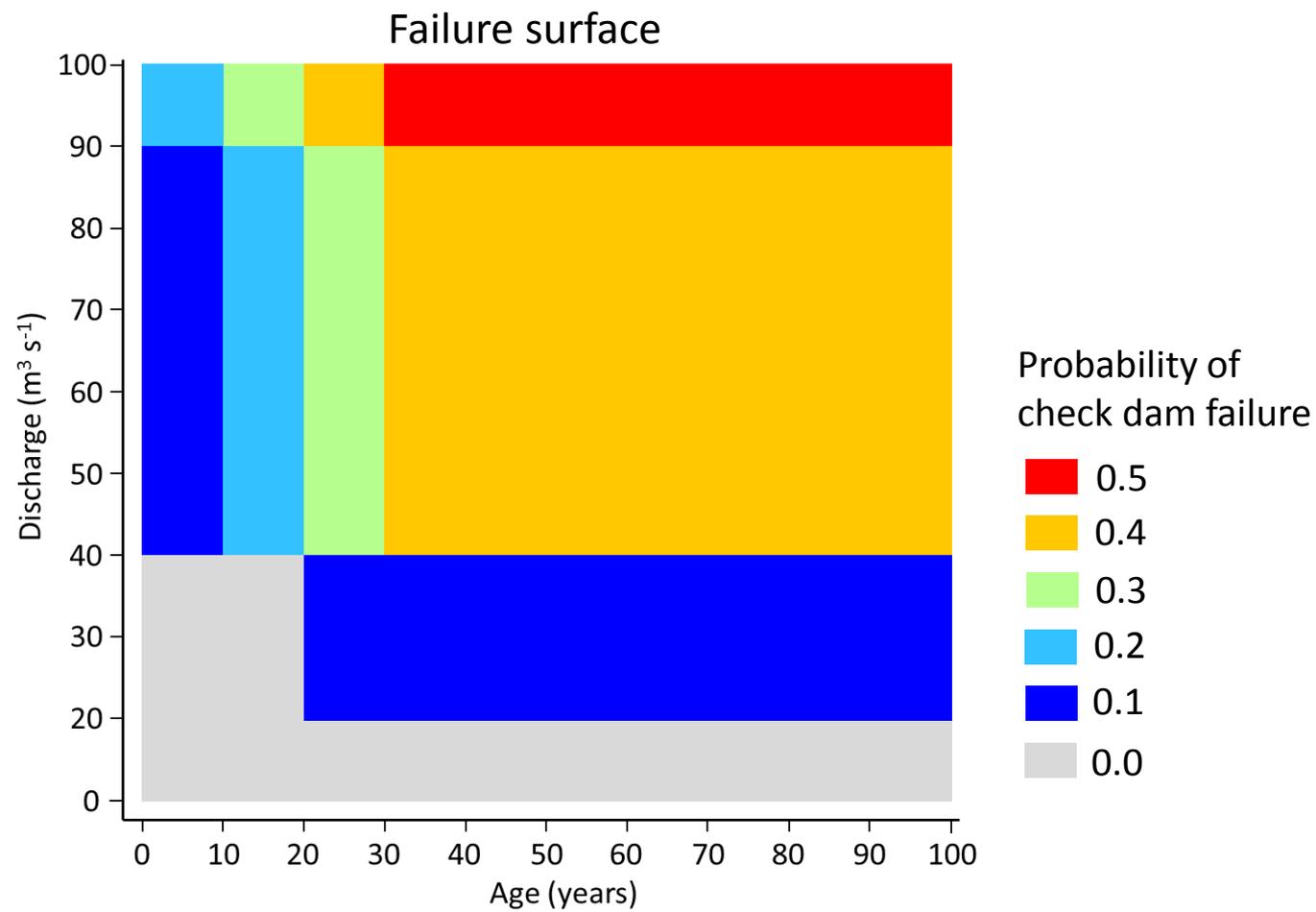
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  - **major:**  $100 \text{ m}^3 \text{ s}^{-1}$
- Hourly sediment input
- Total annual sediment:  $1300 \text{ m}^3$  (reach in equilibrium)
- Amounts of sediment were proportionally added over time based on the discharge that was above  $5 \text{ m}^3 \text{ s}^{-1}$



# Check dam failure rules

Background > Approach & Data > Calibration > **Proof of concept** > Conclusion

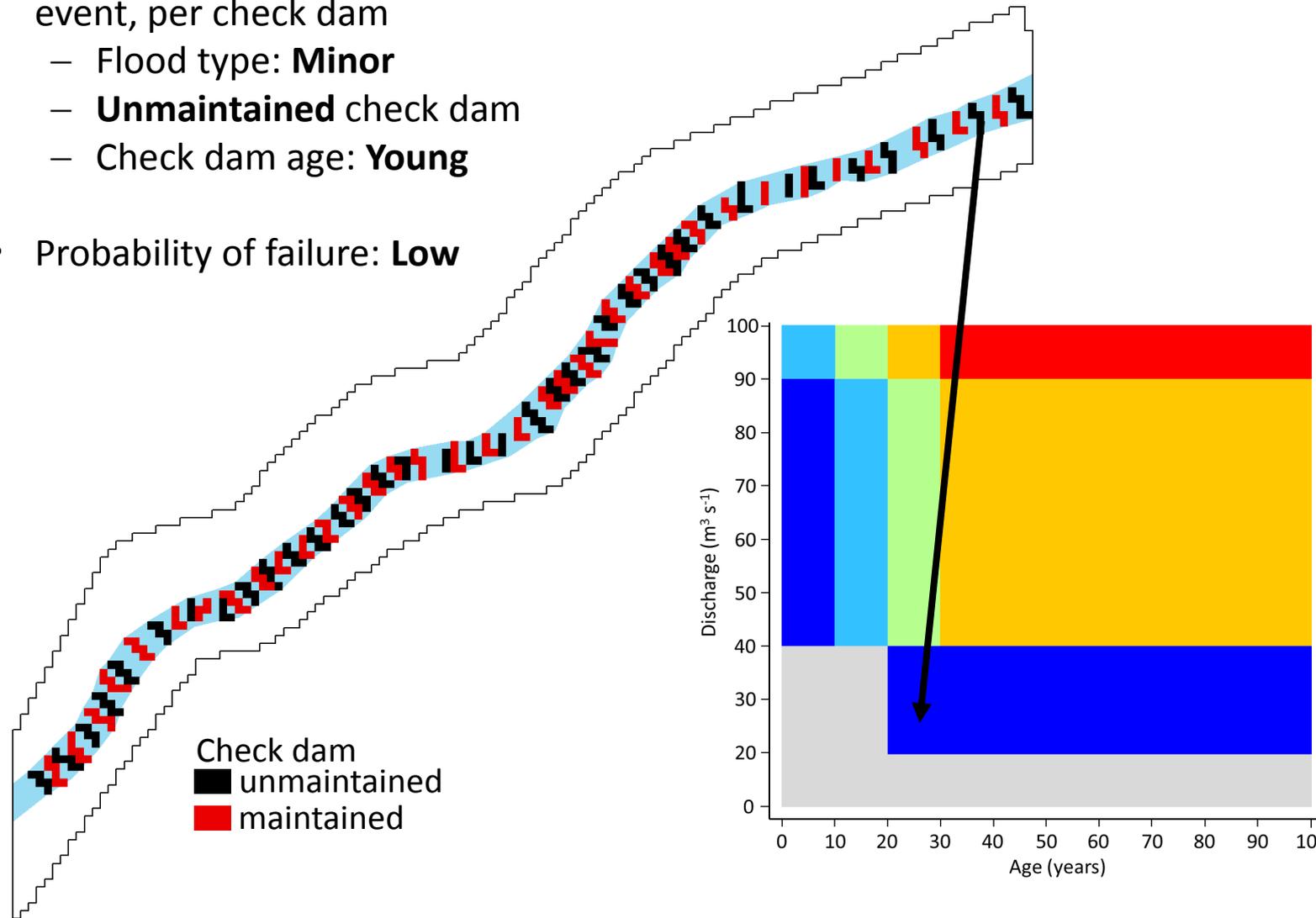
- Expert knowledge used to develop rules
- Check dam failure is determined through a combination of **check dam age** and **discharge**
- Maintained check dams do not fail



# Check dam failure rules

Background > Approach & Data > Calibration > **Proof of concept** > Conclusion

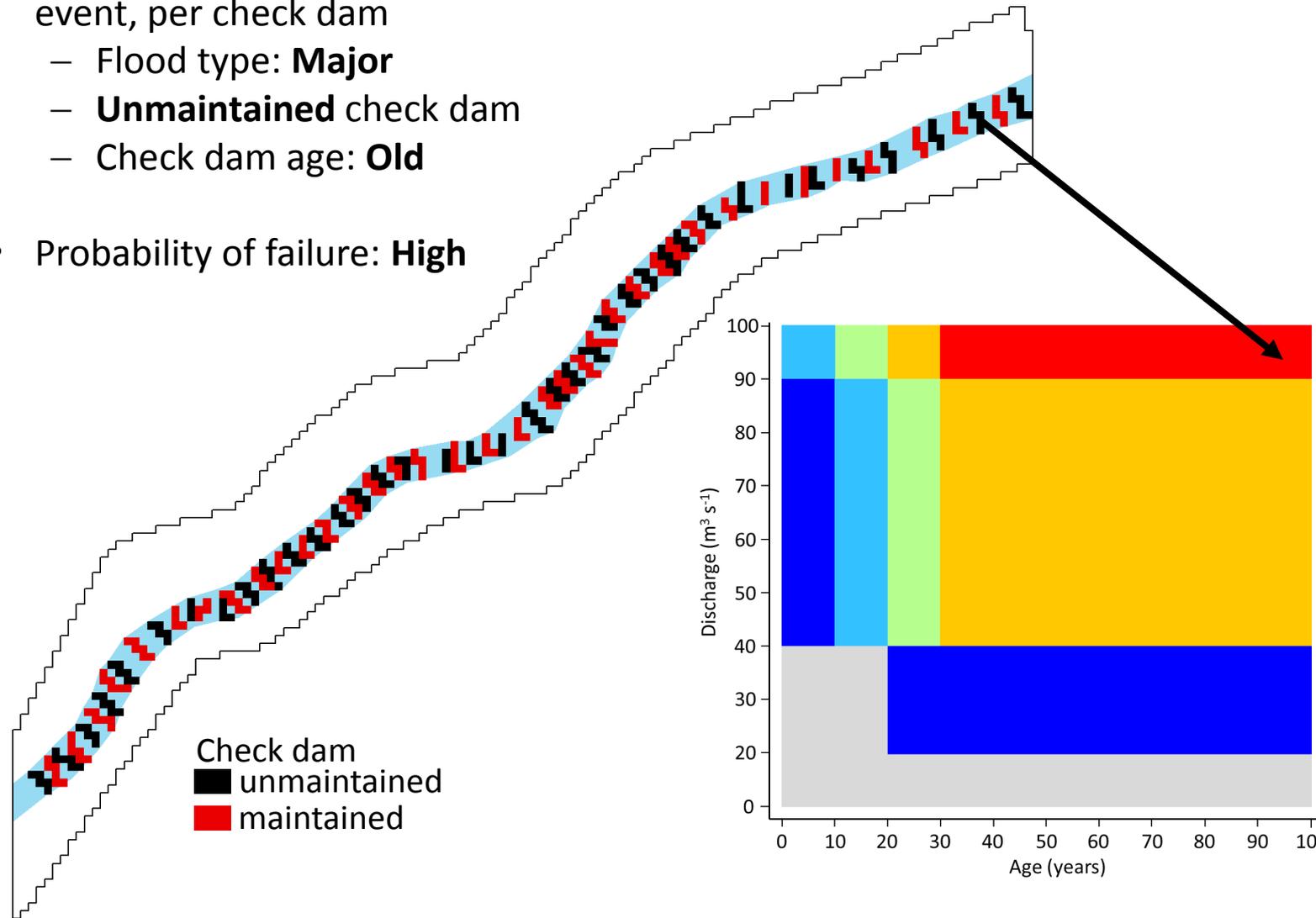
- Failure rules executed once per flood event, per check dam
  - Flood type: **Minor**
  - **Unmaintained** check dam
  - Check dam age: **Young**
- Probability of failure: **Low**



# Check dam failure rules

Background > Approach & Data > Calibration > **Proof of concept** > Conclusion

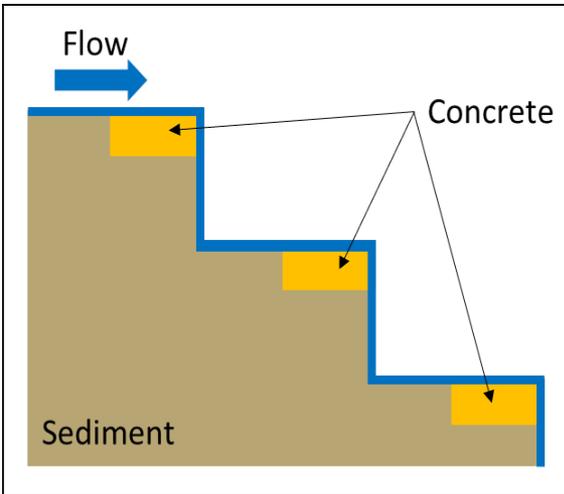
- Failure rules executed once per flood event, per check dam
  - Flood type: **Major**
  - **Unmaintained** check dam
  - Check dam age: **Old**
- Probability of failure: **High**



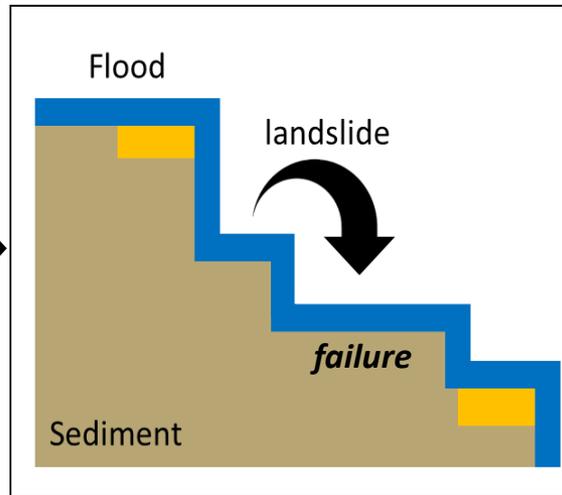
# Check dam failure implementation

Background > Approach & Data > Calibration > **Proof of concept** > Conclusion

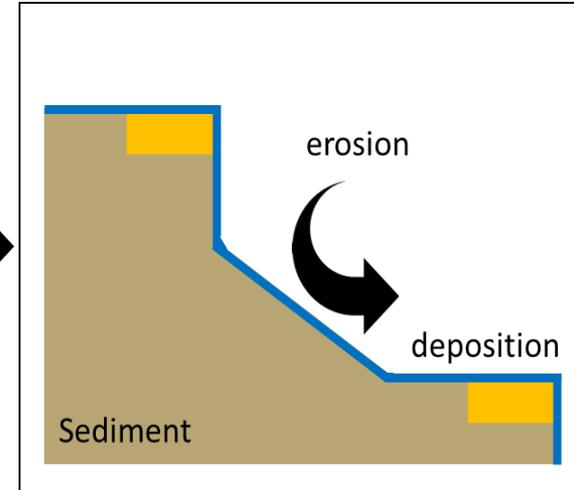
Check dams in profile



Check dam failure  
short-term dynamics



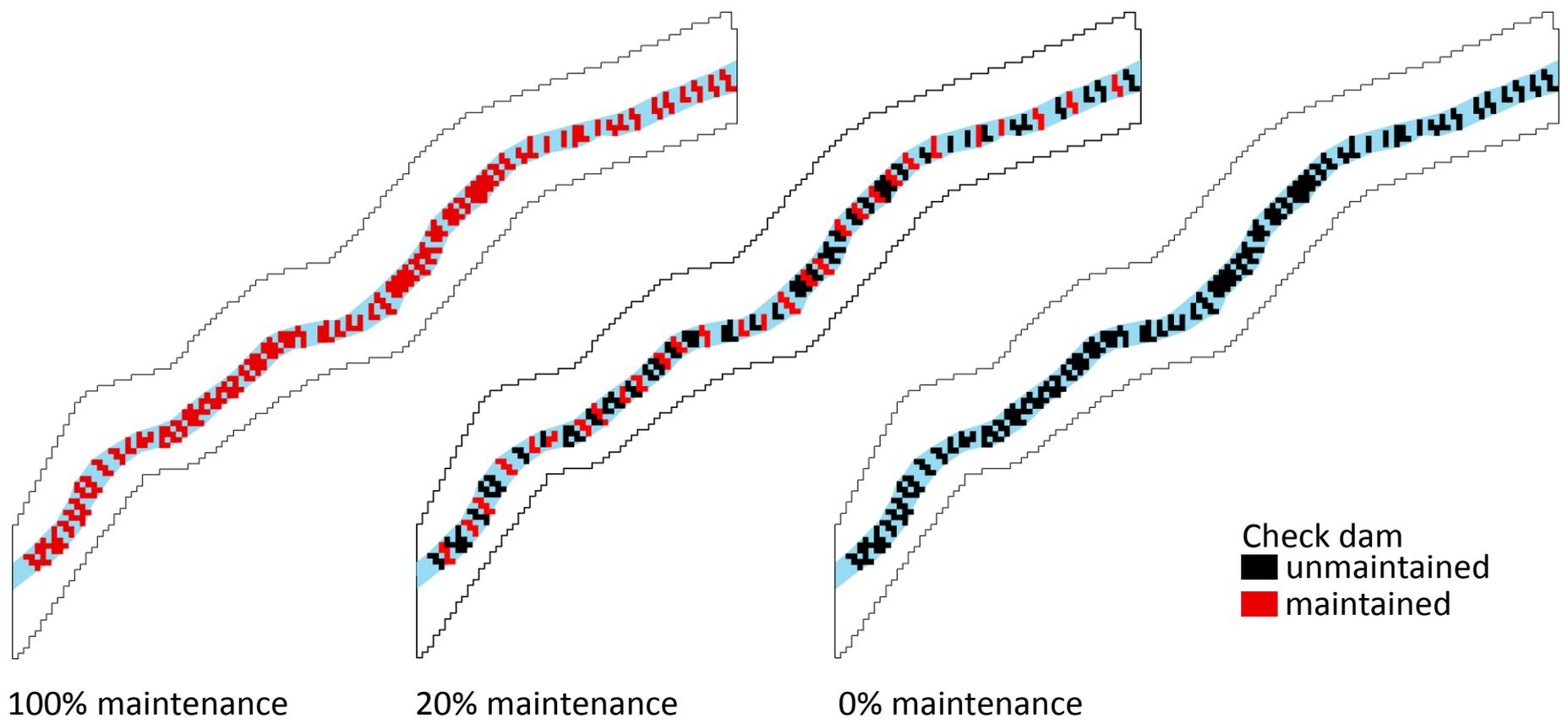
Check dam failure  
long-term dynamics



# Check dam maintenance scenarios

Background > Approach & Data > Calibration > [Proof of concept](#) > Conclusion

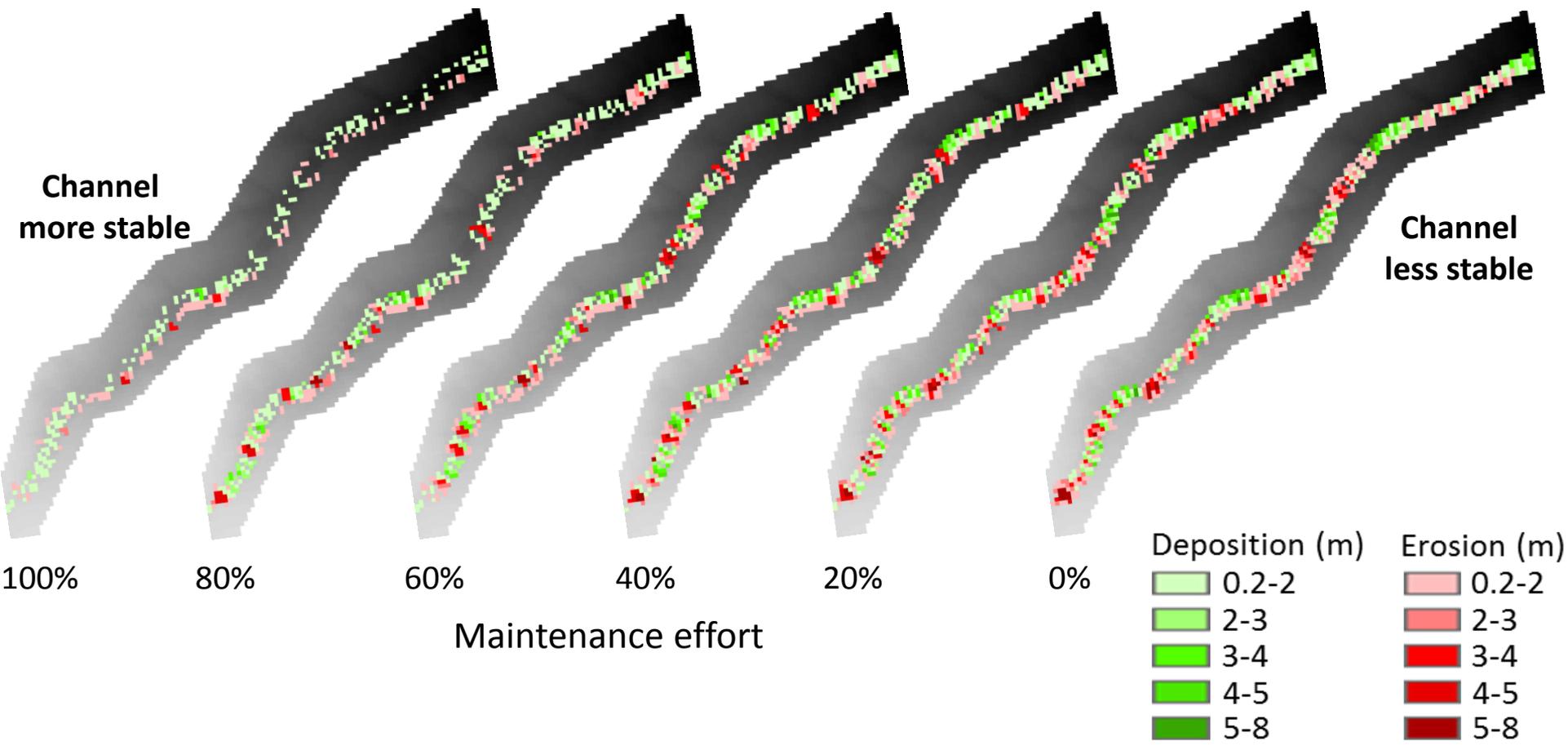
- 6 scenarios trialed
- 0-100% maintenance effort in increments of 20%
- Maintained check dams selected in spatially equal intervals



# Results: Channel change

Background > Approach & Data > Calibration > [Proof of concept](#) > Conclusion

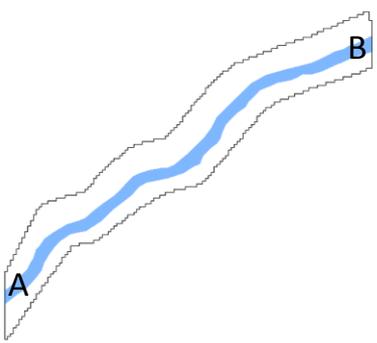
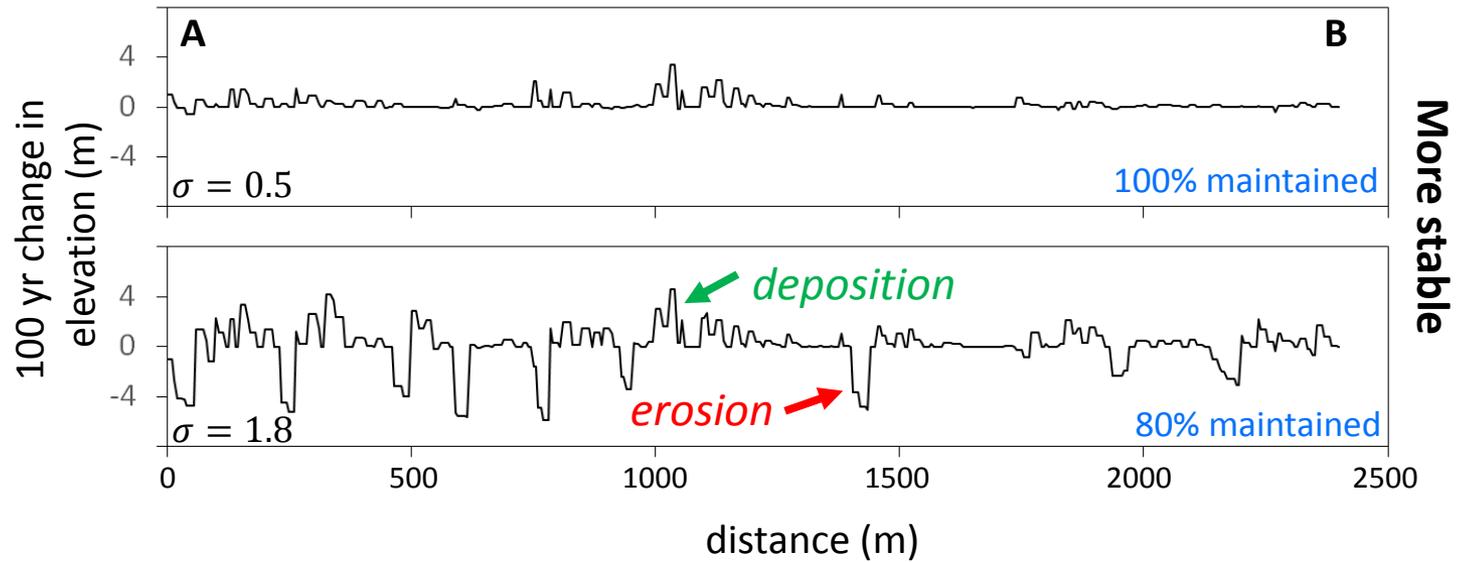
- Channel change = DEM year 0 – DEM year 100
- Major changes in channel elevation



# Results: Channel change

Background > Approach & Data > Calibration > **Proof of concept** > Conclusion

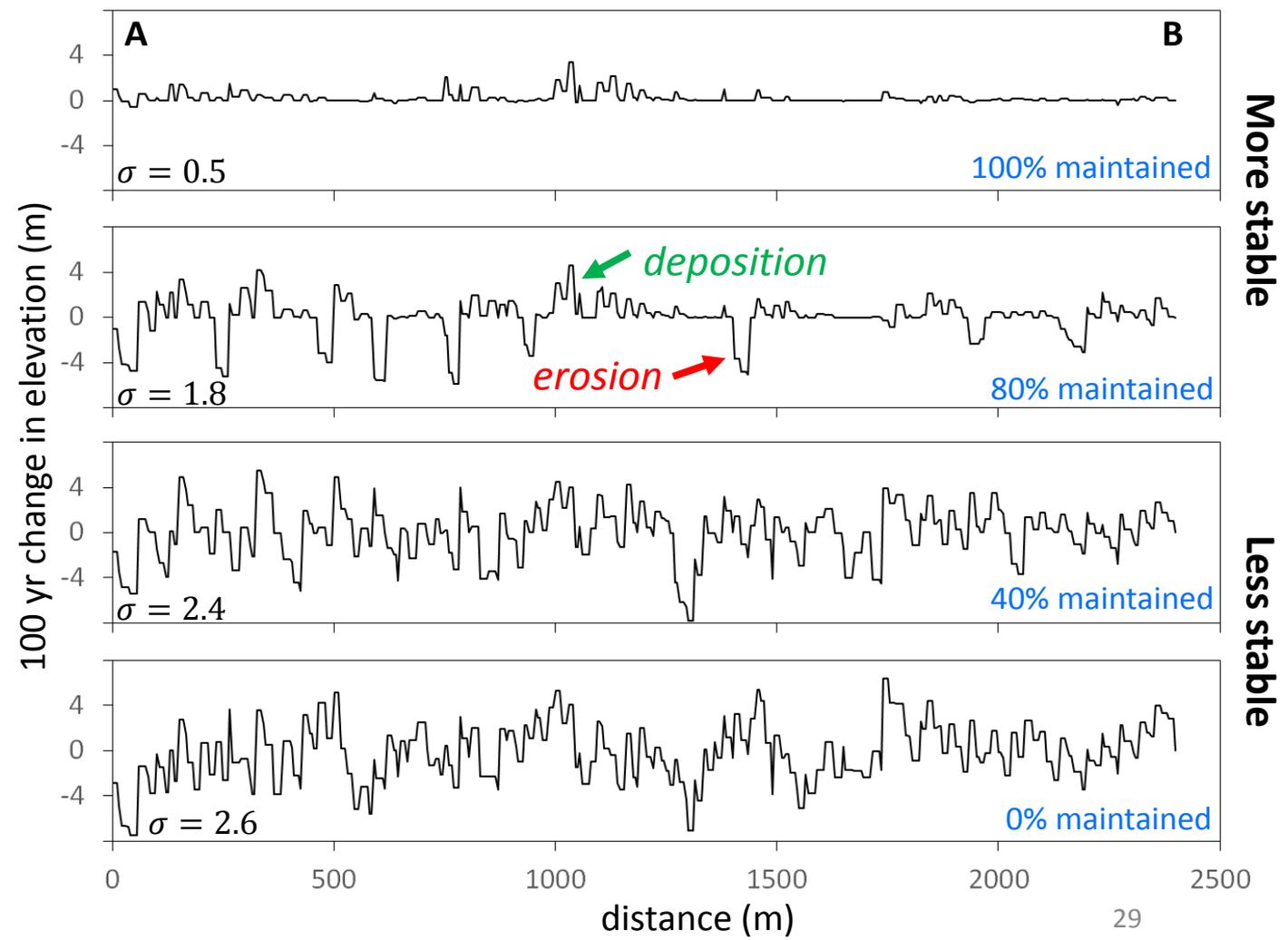
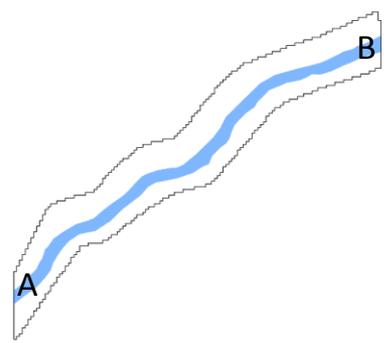
- Profiles of 100 years of channel change
- Check dams stabilize channel
- With less maintenance the channel become progressively less stable (standard deviation)



# Results: Channel change

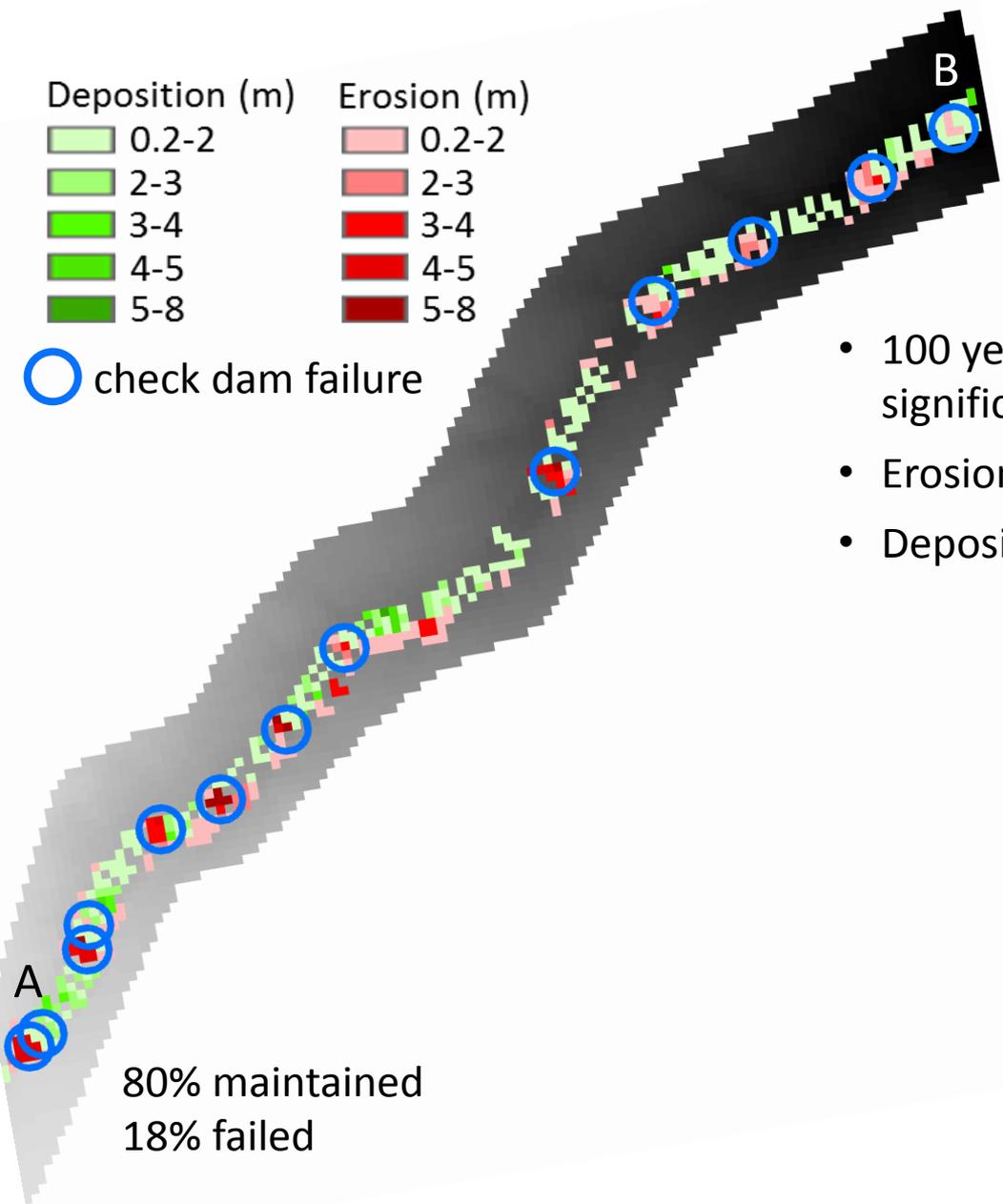
Background > Approach & Data > Calibration > **Proof of concept** > Conclusion

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# Results: Channel change

Background > Approach & Data > Calibration > **Proof of concept** > Conclusion

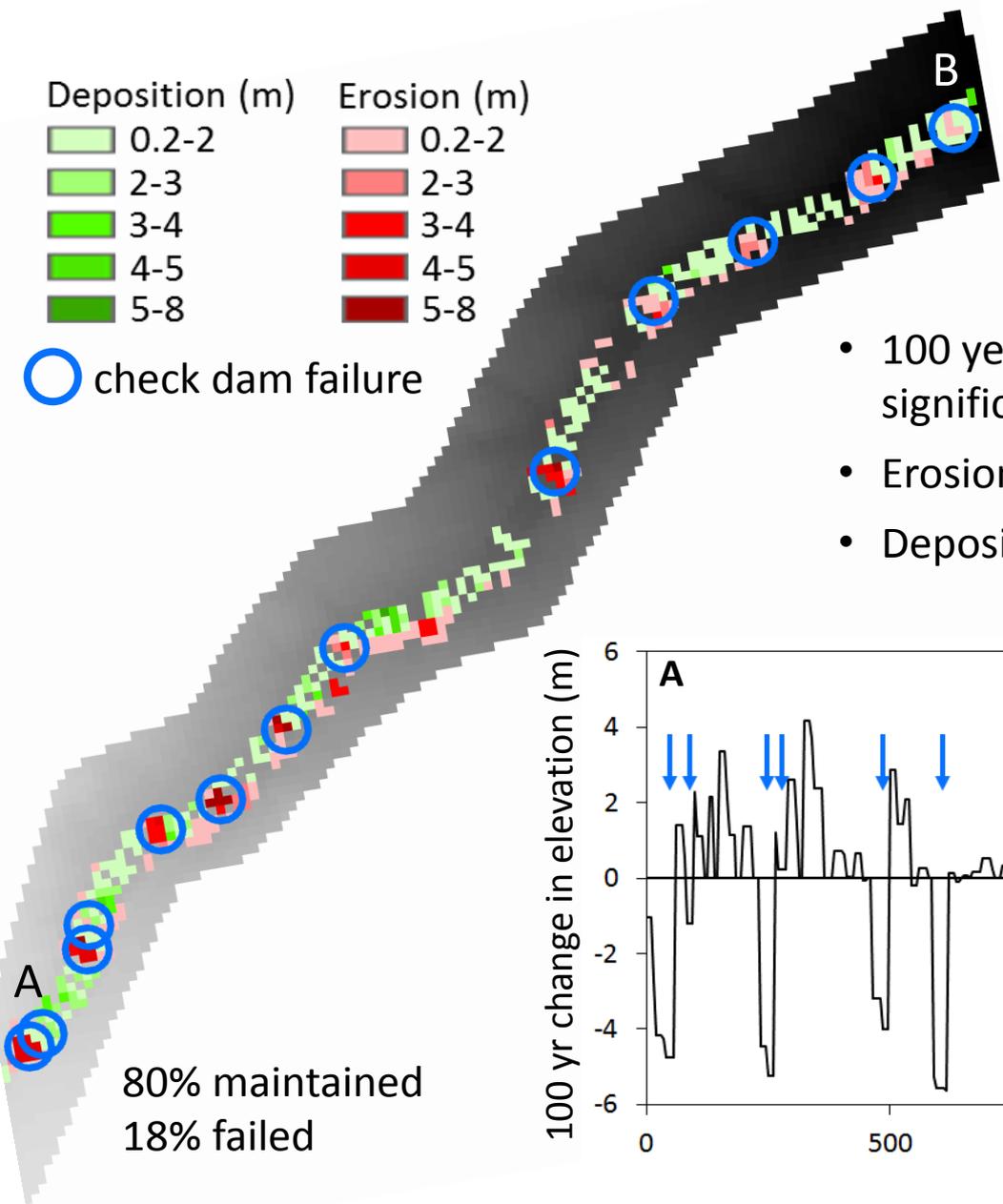


- 100 years of check dam failure produces significant channel changes
- Erosion at location of check dam failure
- Deposition downstream from check dam failure

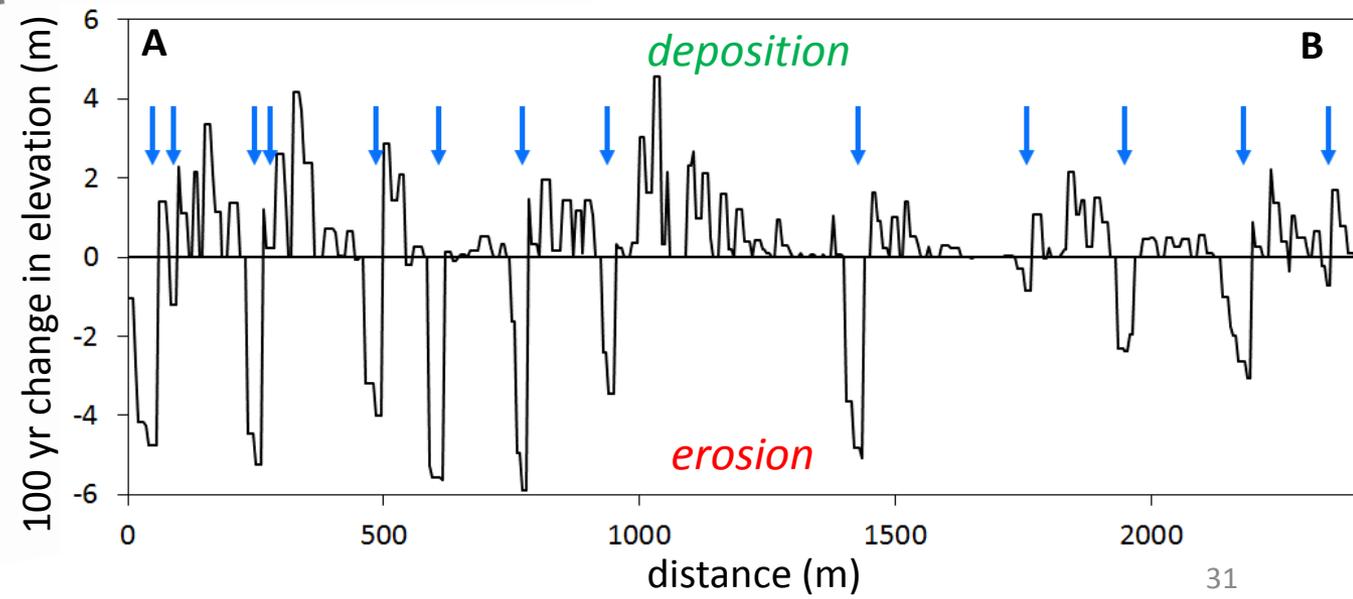
80% maintained  
18% failed

# Results: Channel change

Background > Approach & Data > Calibration > **Proof of concept** > Conclusion



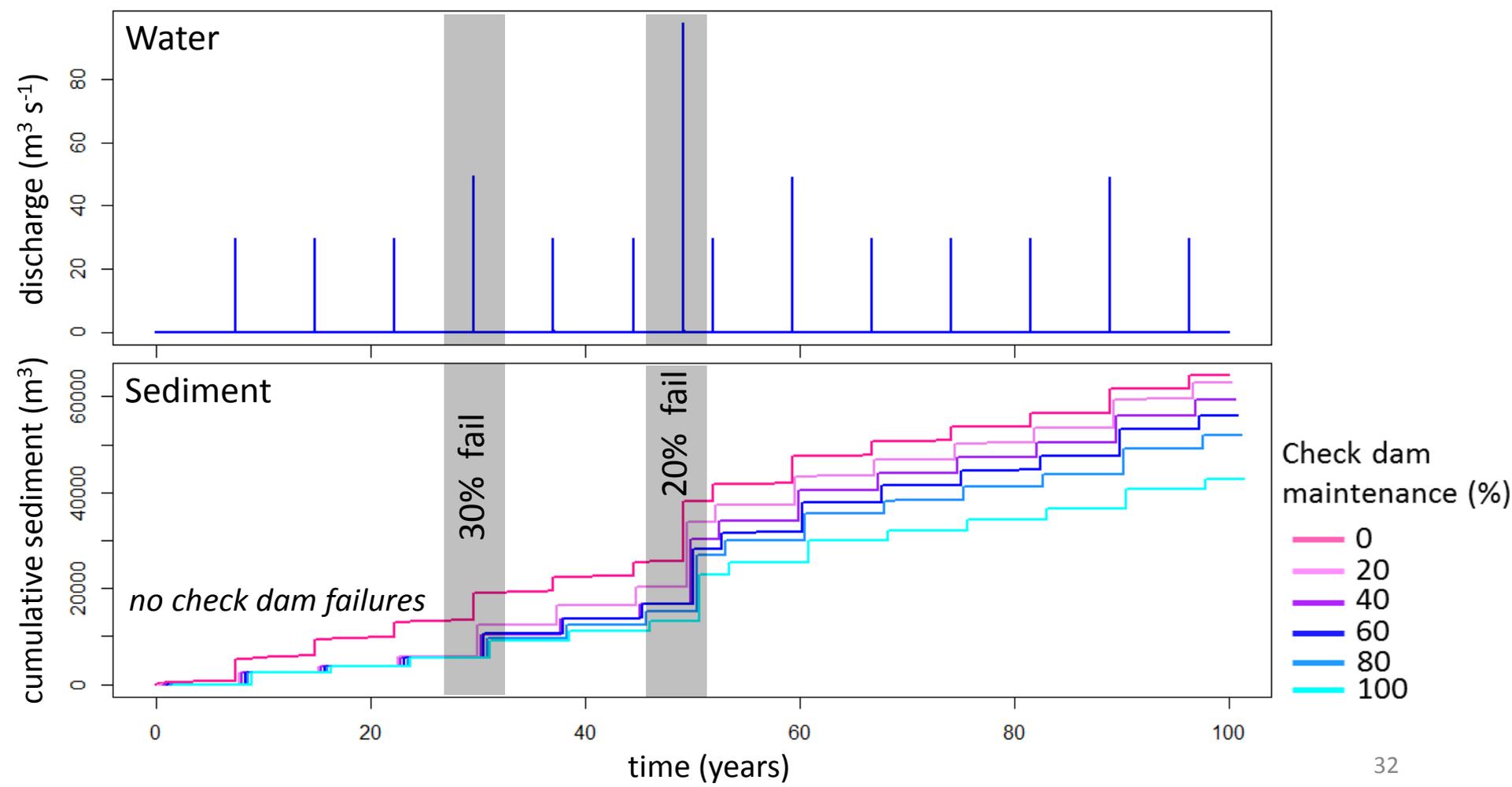
- 100 years of check dam failure produces significant channel changes
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# Results: Sediment yield

Background > Approach & Data > Calibration > **Proof of concept** > Conclusion

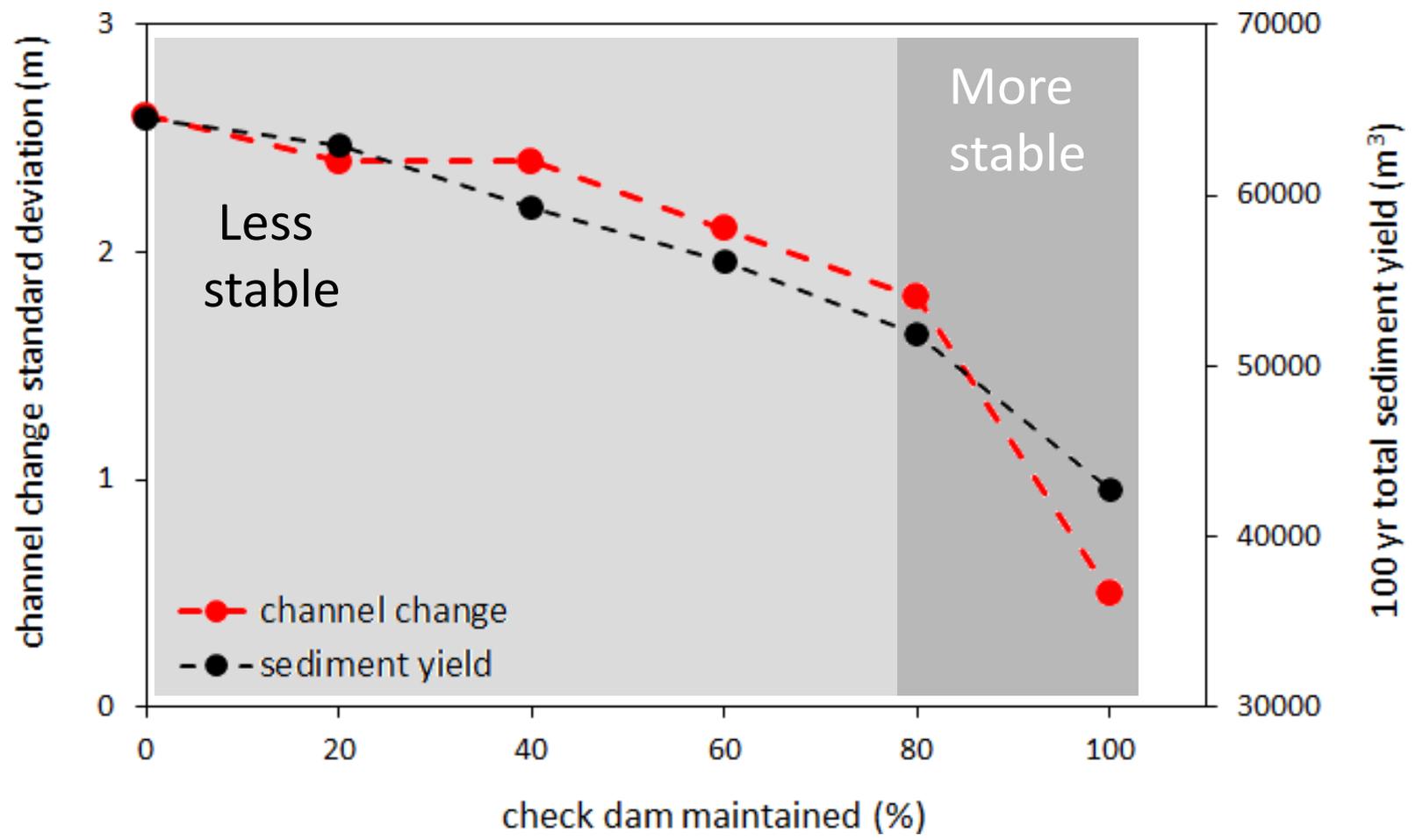
- Check dam maintenance has an effect on sediment yield
- First 20 years no check dam failures
- At two moments in time, check dam failures produce changes in sediment yield



# Results: Summary

Background > Approach & Data > Calibration > **Proof of concept** > Conclusion

- 50% increase in sediment yield between 100% and 0% maintenance of check dams
- Channel change and sediment respond quickly to less check dam maintenance
- >80% of the check dams are needed to maintain a stable river

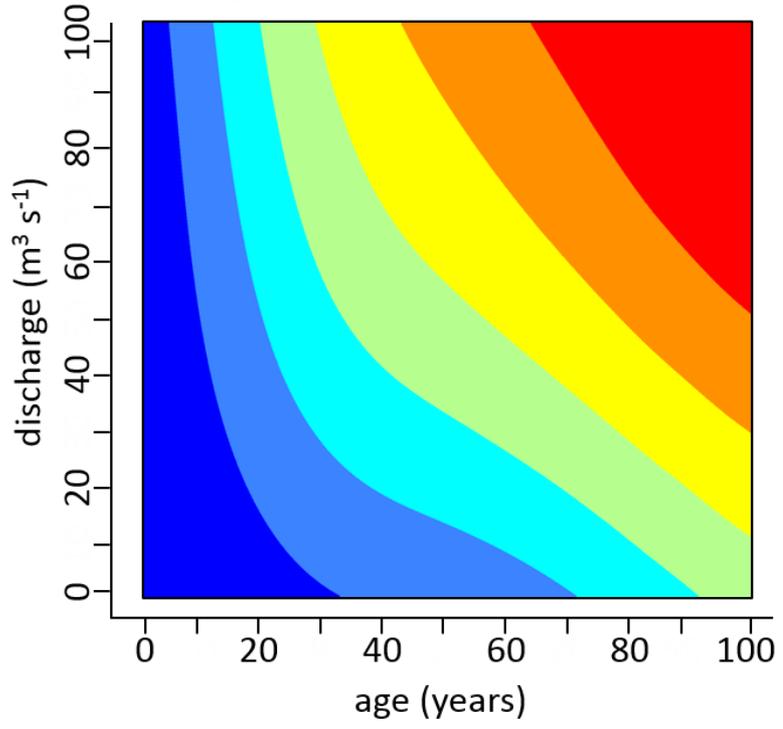


# Future work

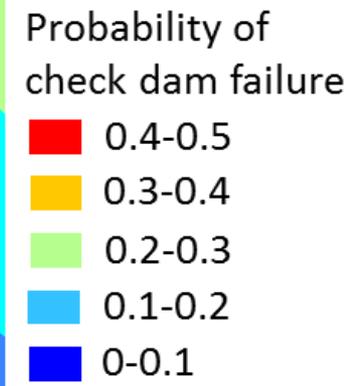
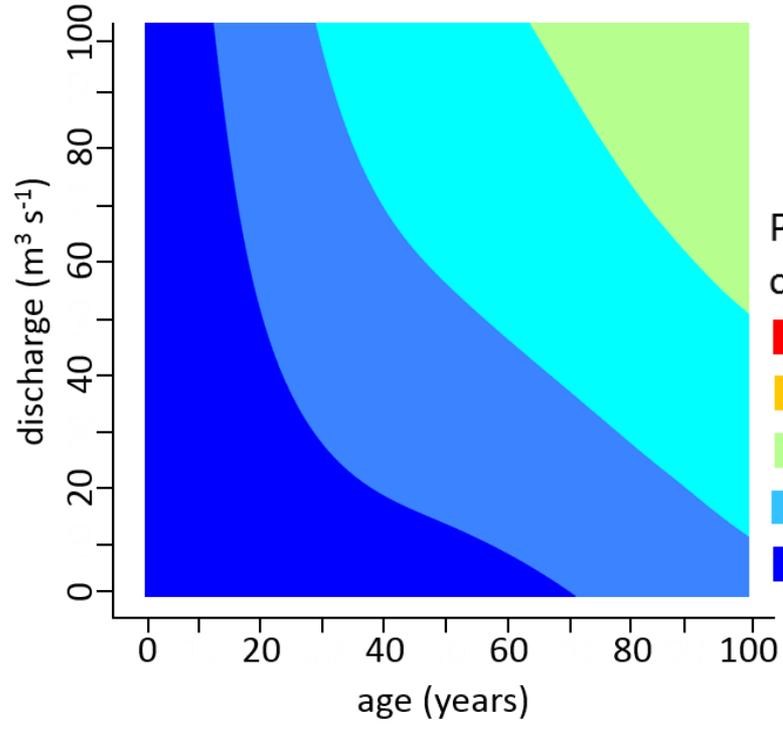
Background > Approach & Data > Calibration > Proof of concept > **Conclusion**

- Generate plausible discharge and sediment inputs for the reach
- Failure rules
  - Check dam failure is a combination of **age** and **discharge** on a continuous scale
  - Try different failure surfaces

### Higher failure probability



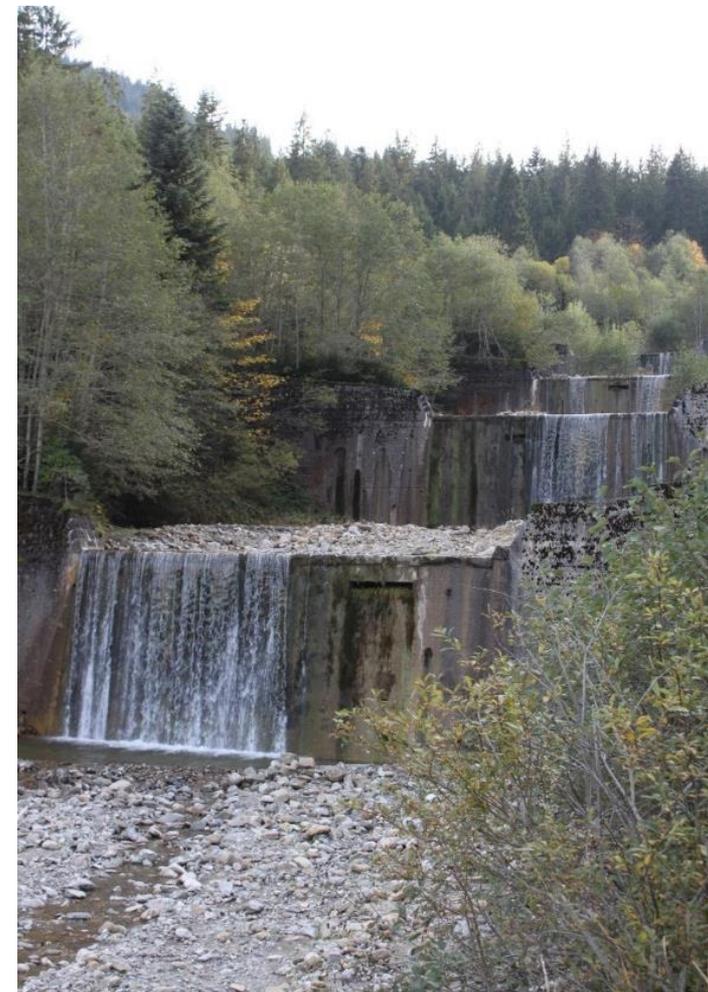
### Lower failure probability



# Discussion and Conclusions

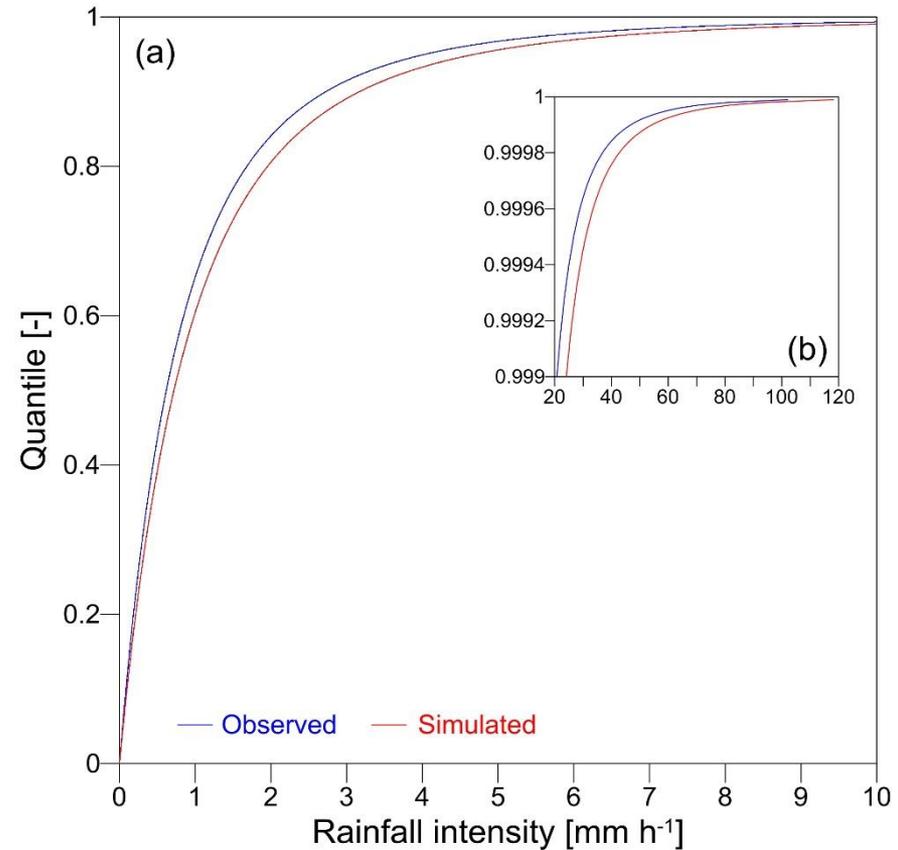
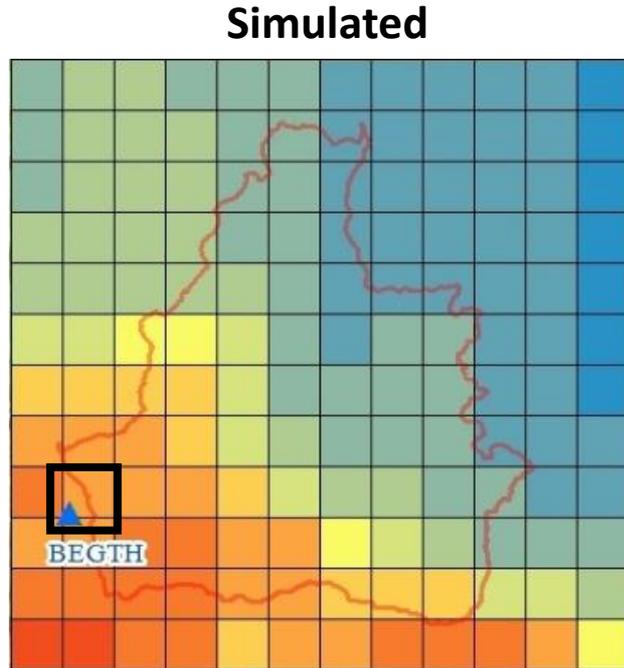
Background > Approach & Data > Calibration > Proof of concept > **Conclusion**

- What is the effect of climate change, including precipitation extremes, on check dam failure and geomorphic change?
- Are their phases in time when the reach is stable and unstable?
- What is the effect of model resolution (e.g. 5 m spatial resolution reach model)?
- The proof of concept model responds to check dam failure including **changes in channel elevation** and **sediment yield**
- Preliminary model results suggest that **more than 80%** of the check dams are needed to maintain a stable river



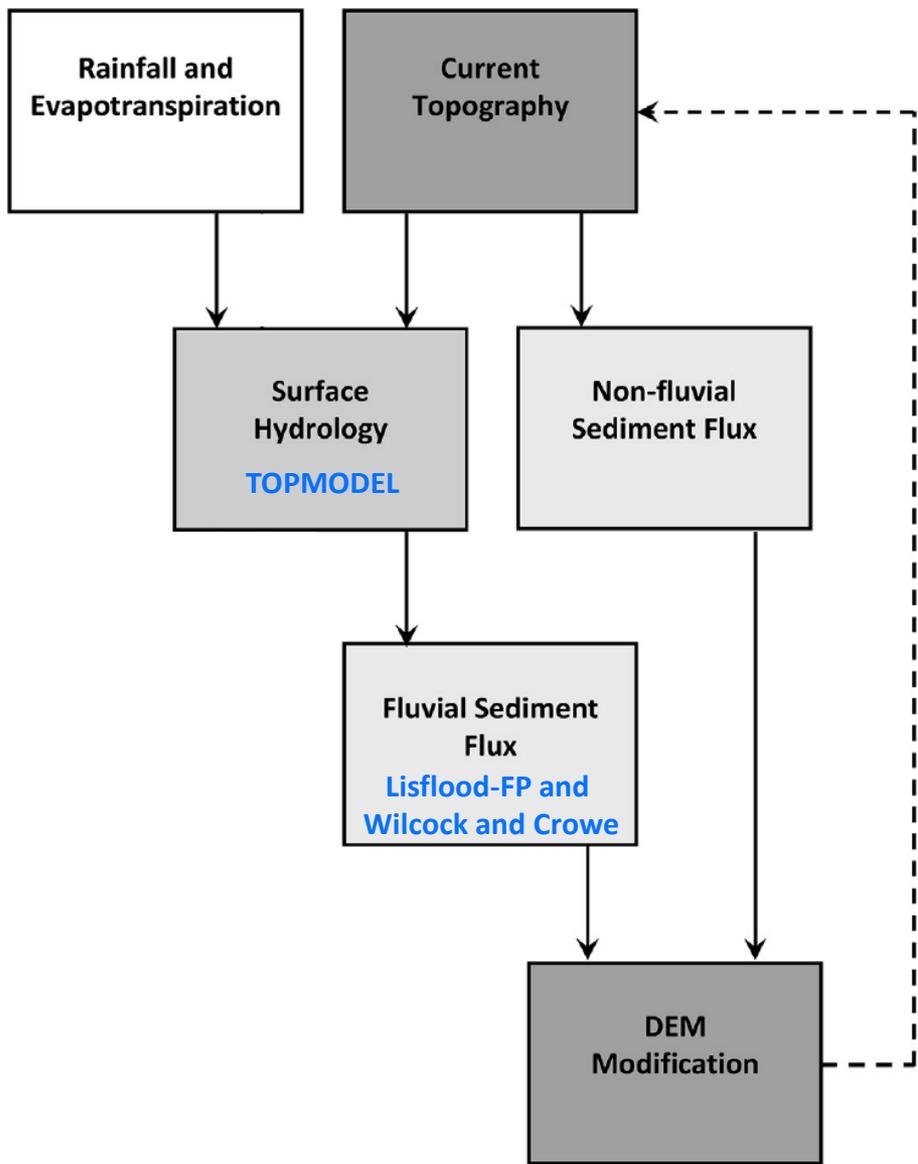
# Backup slides

# Modelled rainfall calibration



A comparison (CDF) of the observed hourly rainfall from the MeteoSwiss gauge (19-year) and the overlaying simulated grid cell (30-year).

# CAESAR-Lisflood hydrology



## TOPMODEL

calculate surface runoff ( $Q_{tot}$ )

$$Q_{tot} = \frac{m}{T} \log \left( \frac{(r - j_t) + j_t \exp \left( \frac{rT}{m} \right)}{r} \right)$$

$$j_t = \frac{r}{\left( \frac{r - j_{t-1}}{j_{t-1}} \exp \left( \left( \frac{(0 - r)T}{m} \right) + 1 \right) \right)}$$

**m** is a user-defined parameter

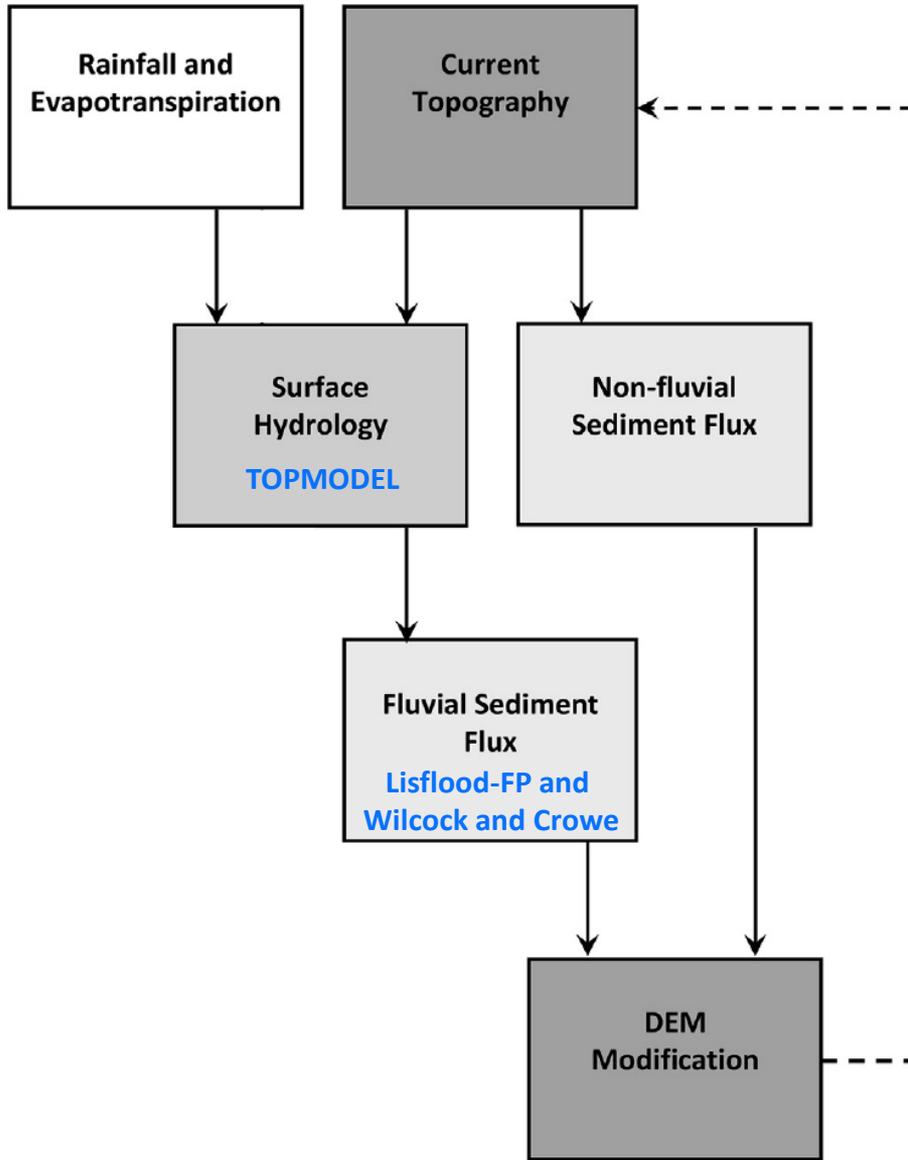
$j_t$  is the soil moisture store

$j_{t-1}$  is the soil moisture store from the previous iteration

**T** is time

**r** is the rainfall rate

# CAESAR-Lisflood hydraulics



## Lisflood-FP

calculate the flow (Q) between cells

$$Q = \frac{q - gh_{flow}\Delta t \frac{\Delta(h+z)}{\Delta x}}{\left(1 + gh_{flow}\Delta t n^2 |q| / h_{flow}^{10/3}\right)} \Delta x$$

**q** is the flux between cells from the previous iteration ( $m^2s^{-1}$ )

**g** is acceleration due to gravity ( $m s^{-1}$ )

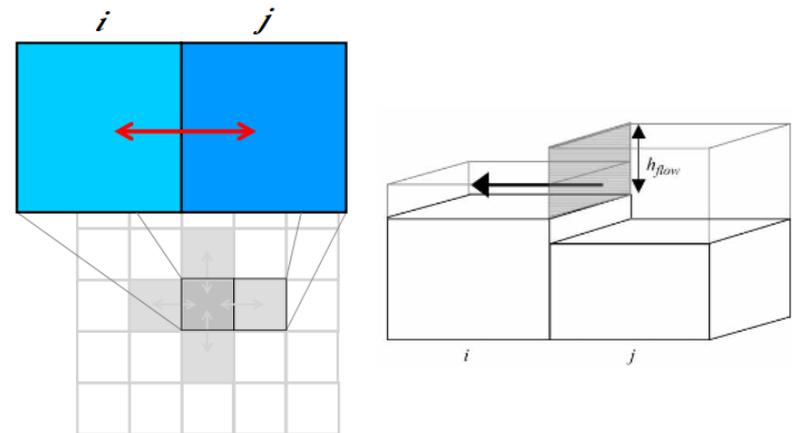
**n** is Mannings roughness coefficient ( $m^{1/3}s^{-1}$ ) **h** is depth (m)

**z** is elevation (m)

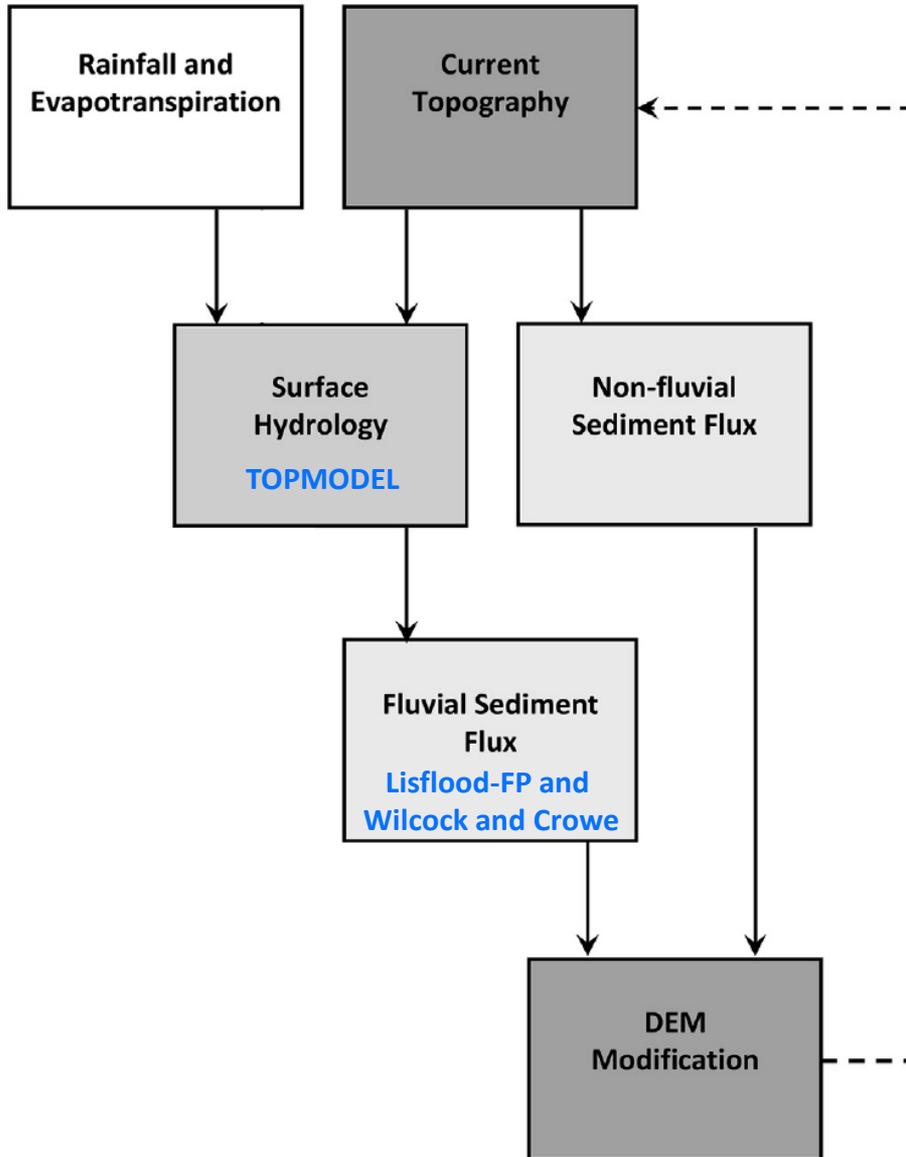
**h<sub>flow</sub>** is the maximum depth of flow between cells

**x** is the grid cell width (m)

**t** is time (s)



# CAESAR-Lisflood sediment transport



## Wilcock and Crowe

Sediment transport is driven by a mixed-size formula, which calculates transport rates,  $q_i$ , for each sediment fraction  $i$

$$q_i = \frac{F_i U_*^3 W_i^*}{(s - 1)g}$$

$F_i$  denotes the fractional volume of the  $i$ -th sediment in the active layer

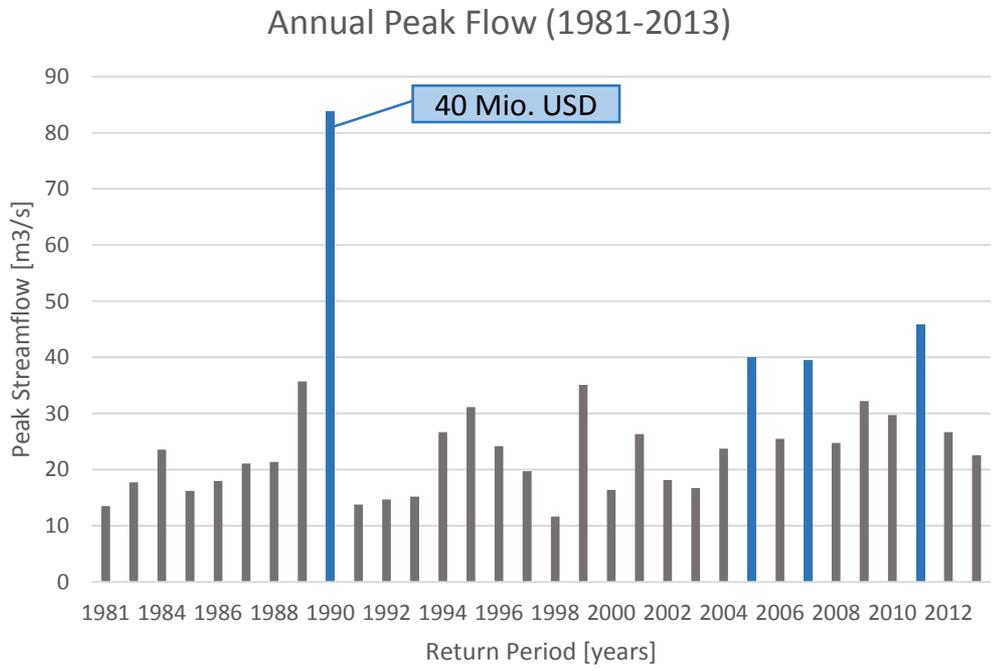
$U^*$  is the shear velocity

$s$  is the ratio of sediment to water density

$g$  denotes gravity

$W_i^*$  is a complex function that relates the fractional transport rate to the total transport rate

# Flood statistic for Guerbe, Burgstein



Return period [yrs]	Discharge [m3/s]	Confidence interval [m3/s]
2	24	19-29
10	44	39-49
30	56	51-61
100	69	64-74
300	80	75-85